

# Neoclassical transport including collisional nonlinearity

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In the standard  $\delta f$  theory of neoclassical transport [F. Hinton and R. Hazeltine, Rev. Mod. Phys. **48**, 239 (1976)], the zeroth-order (Maxwellian) solution is obtained analytically via the solution of a nonlinear equation. The first-order correction,  $\delta f$ , is subsequently computed as the solution of a linear, inhomogeneous equation that includes the linearized Fokker-Planck collision operator. This equation admits analytic solutions only in extreme asymptotic limits (banana, plateau, Pfirsch-Schlüter), and so must be solved numerically for realistic plasma parameters. Recently, numerical codes have appeared which attempt to compute the total distribution,  $f$ , more accurately than in the standard ordering by retaining some nonlinear terms related to finite-orbit width, while simultaneously reusing some form of the linearized collision operator. In this work we show that higher-order corrections to the distribution function may be unphysical if collisional nonlinearities are ignored.

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