

# Empirical Study of $\eta_e$ in H-mode Pedestal in DIII-D

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# Empirical Motivation

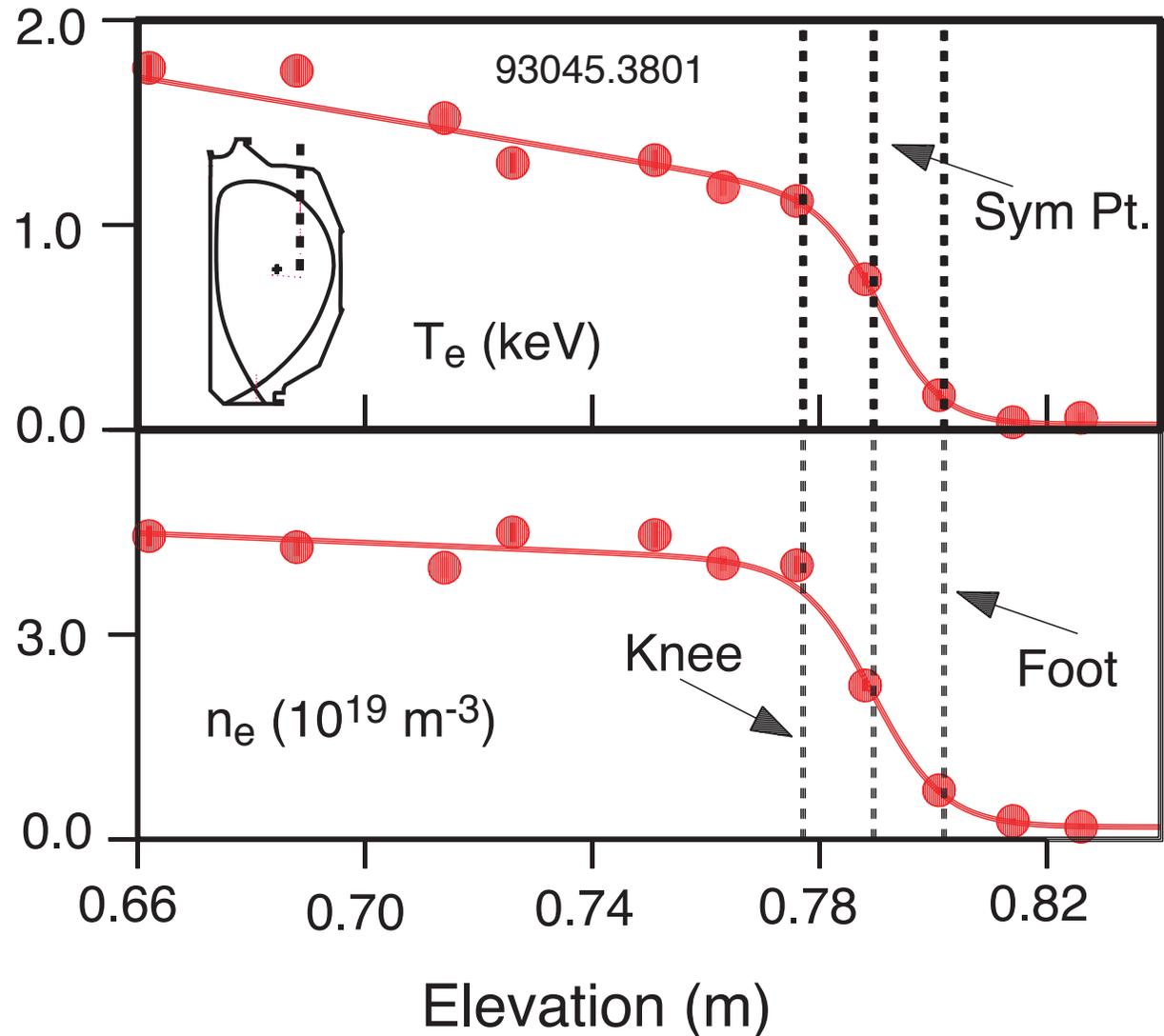
# Empirical Evidence Exists for a Dependence of Pedestal $T_e$ Profile on $n_e$ Profile

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- ◆ Barriers in  $T_e$  and  $n_e$  are often found to overlap very well
- ◆ Width of  $n_e$  barrier forms an approximate lower limit for width of  $T_e$  barrier
- ◆ ASDEX-U has reported  $\eta_e$  is about two in the pedestal
  - J. Neuhauser, *et al.*, Plasma Phys. Control. Fusion **44**, 855 (2002)
- ◆ Purpose of this paper is to do a survey of  $L_{T_e}$ ,  $L_{n_e}$  and  $\eta_e$  in DIII-D tokamak
  - $L_{T_e} = T_e / \nabla T_e$ ,  $L_{n_e} = n_e / \nabla n_e$
  - $\eta_e = L_{n_e} / L_{T_e}$

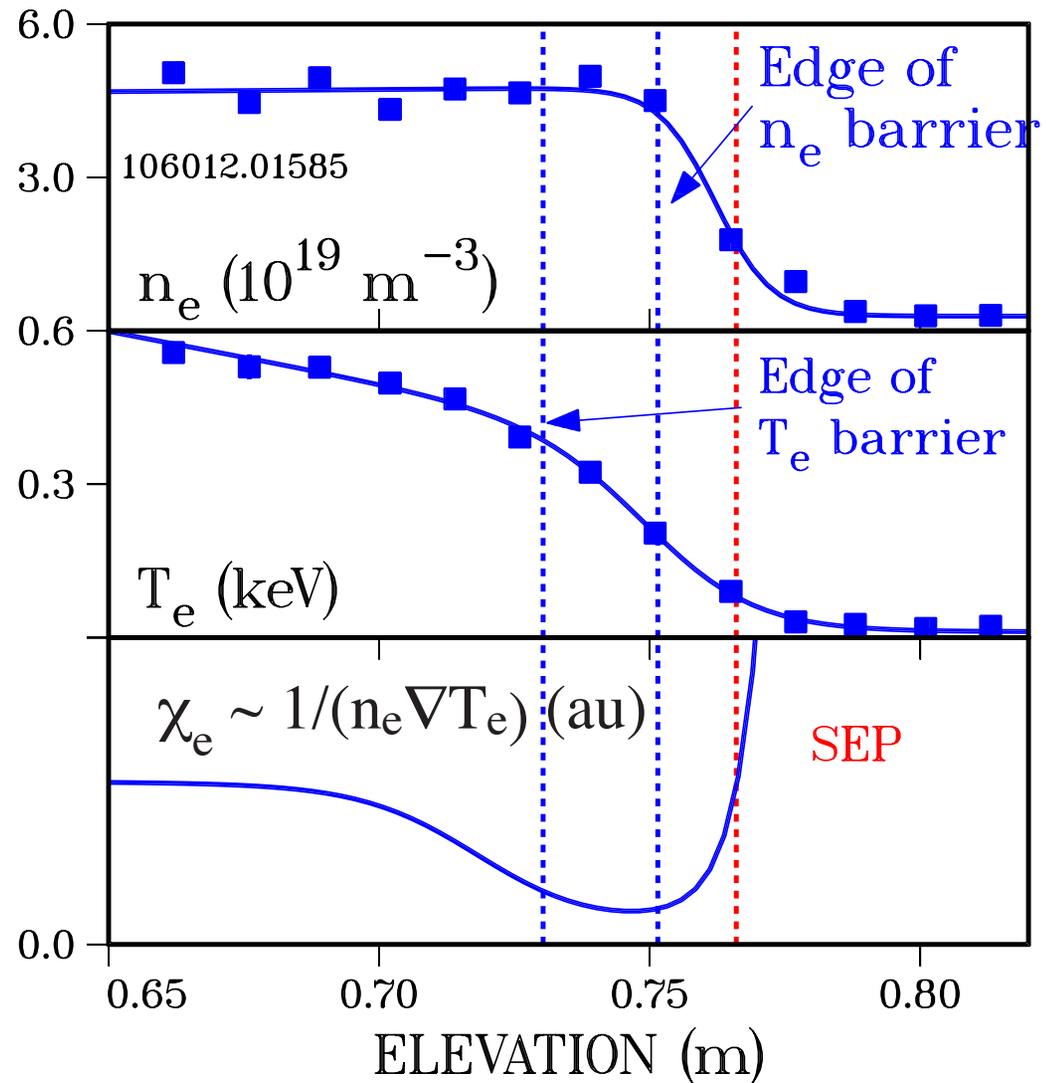
# Profiles where $T_e$ and $n_e$ look similar

- ◆ Measurements are along Thomson laser chord, shown in inset



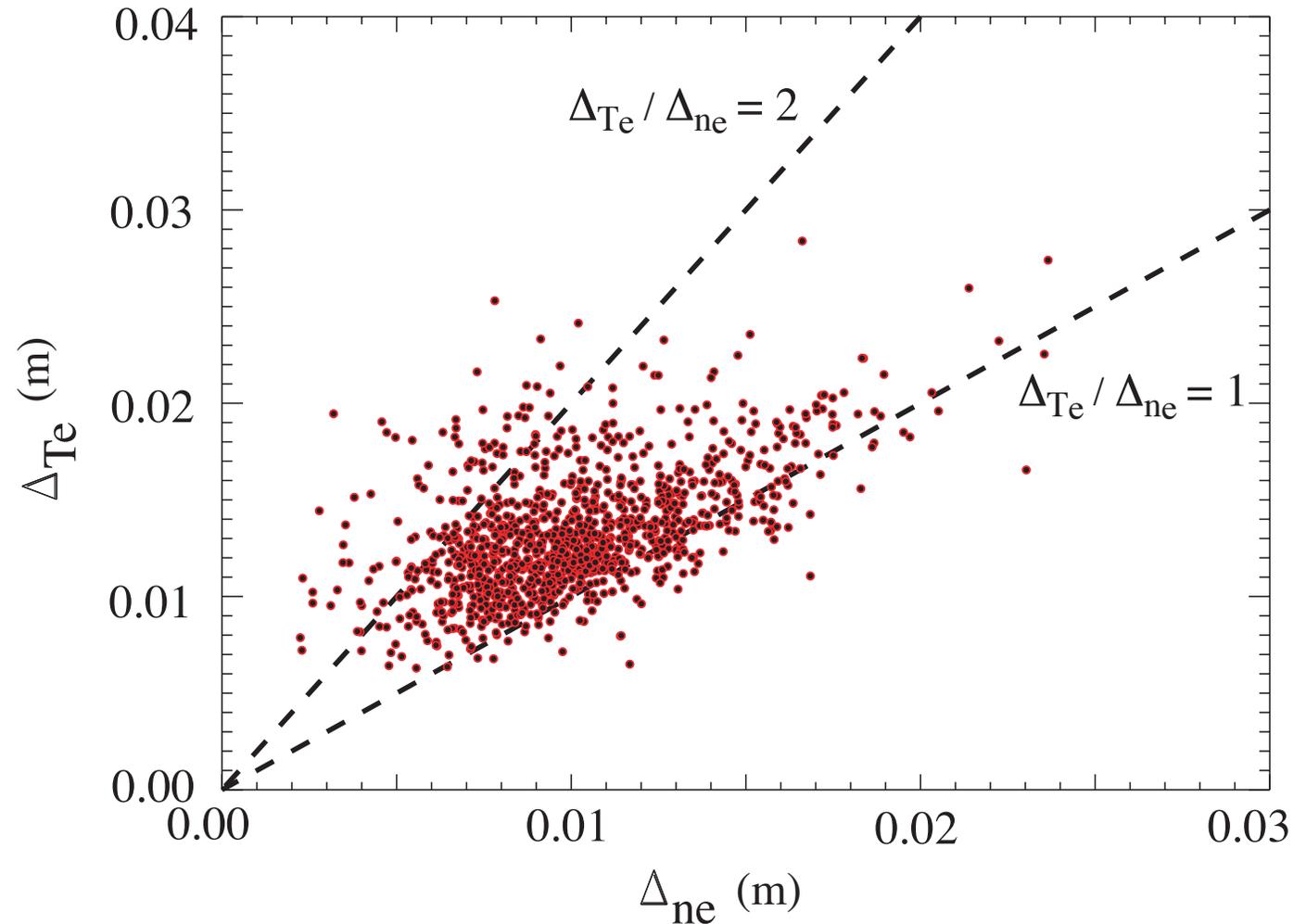
# Profile where $T_e$ barrier extends further into core than $n_e$ barrier

- ◆ Inner edge of barriers is taken as the “knee” of each profile



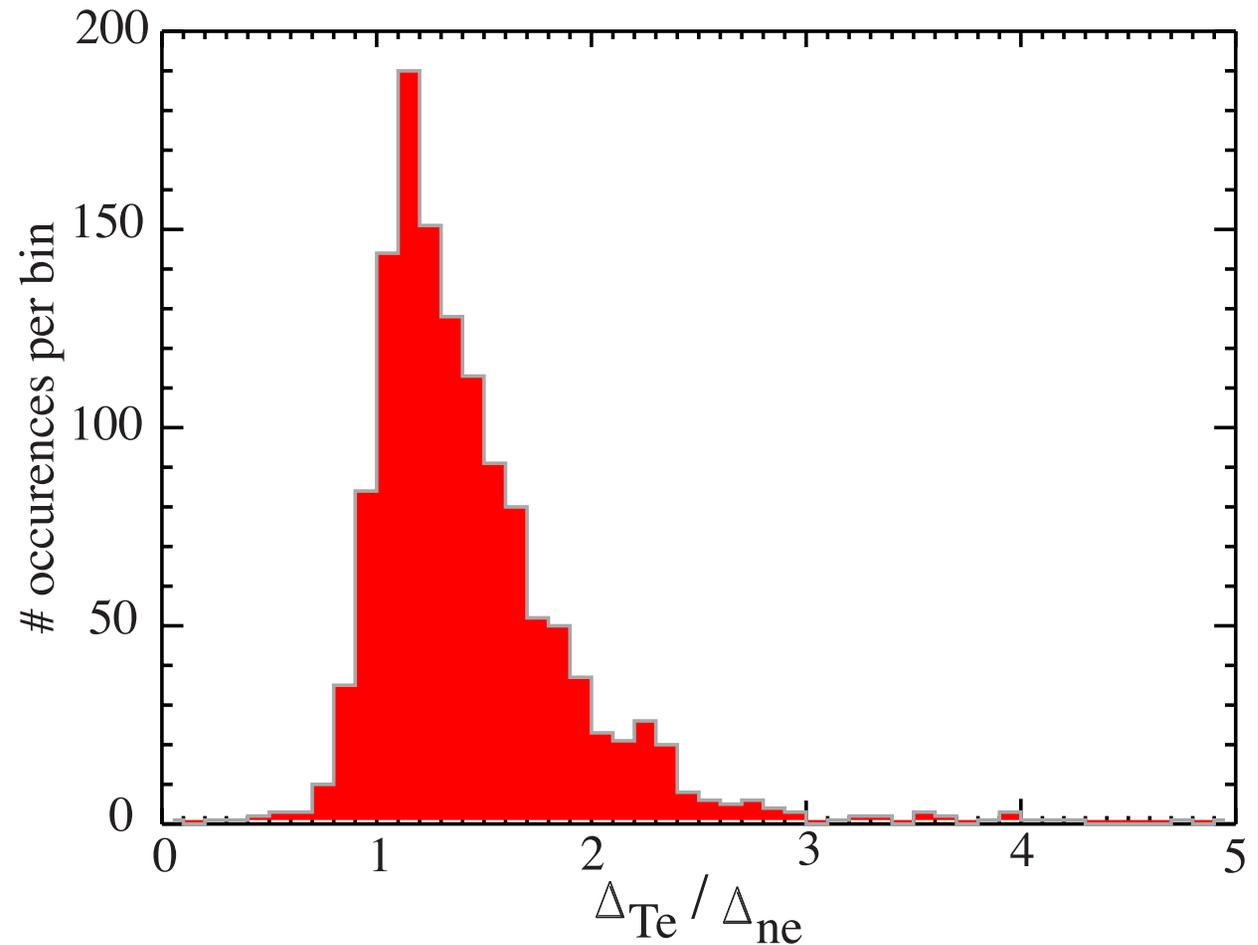
# Width of $T_e$ barrier is $\sim 1-2$ x width of $n_e$ barrier

- ◆ Inner edge of barrier is “knee” of the each profile
- ◆ Outer edge of each barrier is “foot” of  $T_e$  profile



# Most probable $T_e$ width is $\sim 1.1-1.2 \times n_e$ width

- ◆ Data set covers a wide range of densities
- ◆ ELMs are removed
- ◆ Figure is a PDF of number of occurrences of various ratios of  $T_e$  to  $n_e$  width
- ◆ Widths are defined as in previous figure



# Theoretical Motivation

# Theoretical Motivation for Studying $\eta_e$

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- ◆ Gyrokinetic simulations have been used to develop an analytic formula for critical  $T_e$  gradient at linear threshold for Electron Temperature Gradient (ETG) turbulence

- F. Jenko, *et al.*, Phys. Plasmas **8**, 4096 (2001).

$$\left(R/L_{T_e}\right)_{crit} = \max \left[0.8R/L_n, F(\tau, \hat{s}, q, \varepsilon, d\kappa/d\varepsilon)\right]$$

- ◆ In the core, prediction is that  $L_{T_e}$  will not deviate far from the linear threshold
  - For sufficiently steep  $n_e$  profile, prediction is  $L_{T_e} \approx L_{n_e}$
  - Or,  $\eta_e = L_{n_e} / L_{T_e} \approx 1$
- ◆ However, in steep gradient region of edge, theory says that the  $T_e$  gradient might deviate from value at linear threshold
- ◆ Thus, we might expect  $\eta_e \geq 1$  at edge

# Theory Motivates 3 Questions for Experiment

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- ◆ In the region of steep density gradient, is there a linear relation between  $L_{T_e}$  and  $L_{n_e}$ ?
- ◆ If so, what is the  $\eta_e$ , the ratio of  $L_{n_e}$  to  $L_{T_e}$ ?
- ◆ What is  $\eta_e$  throughout the region of steep density gradient?

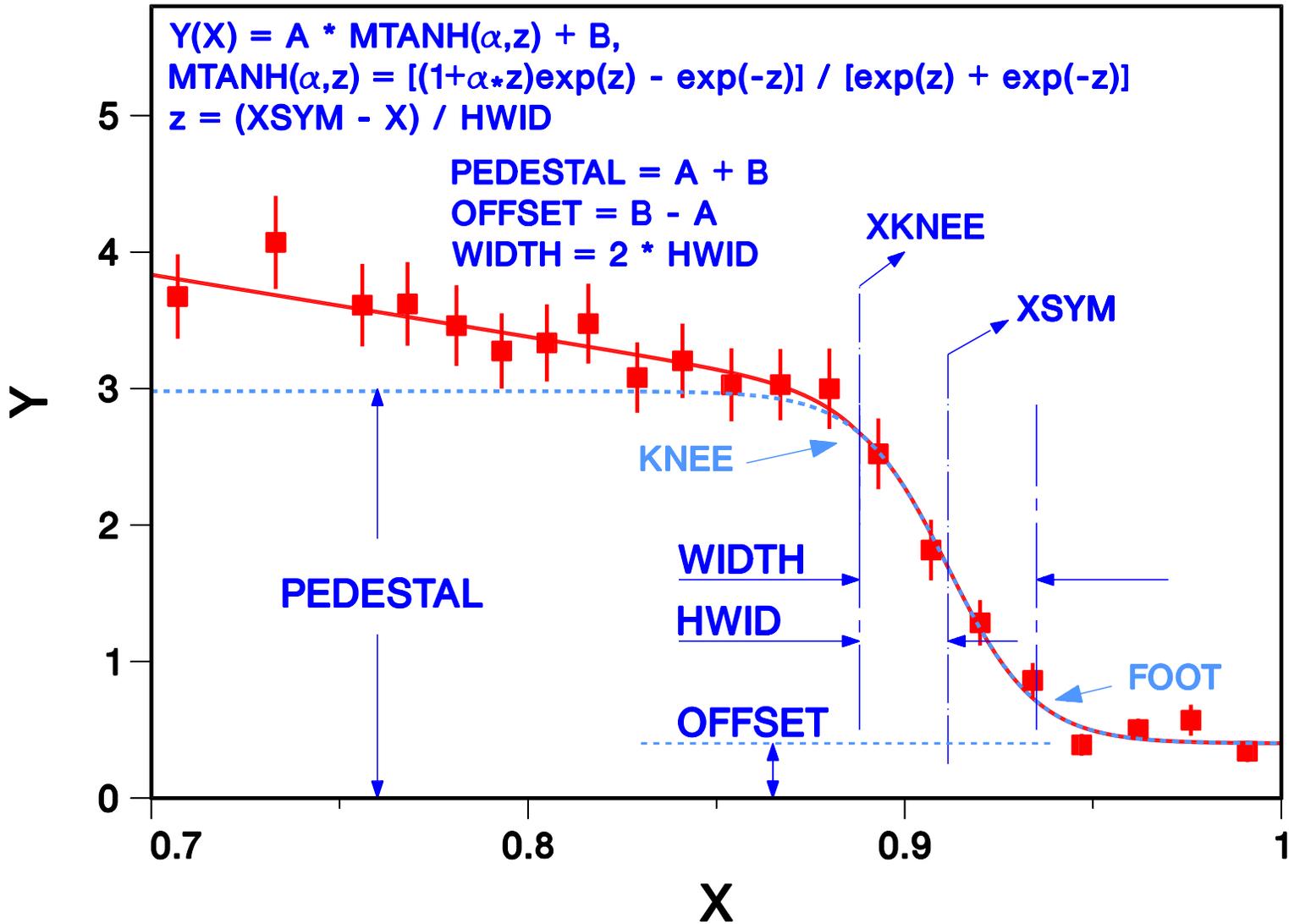
# Analysis Procedure

# Analysis Technique

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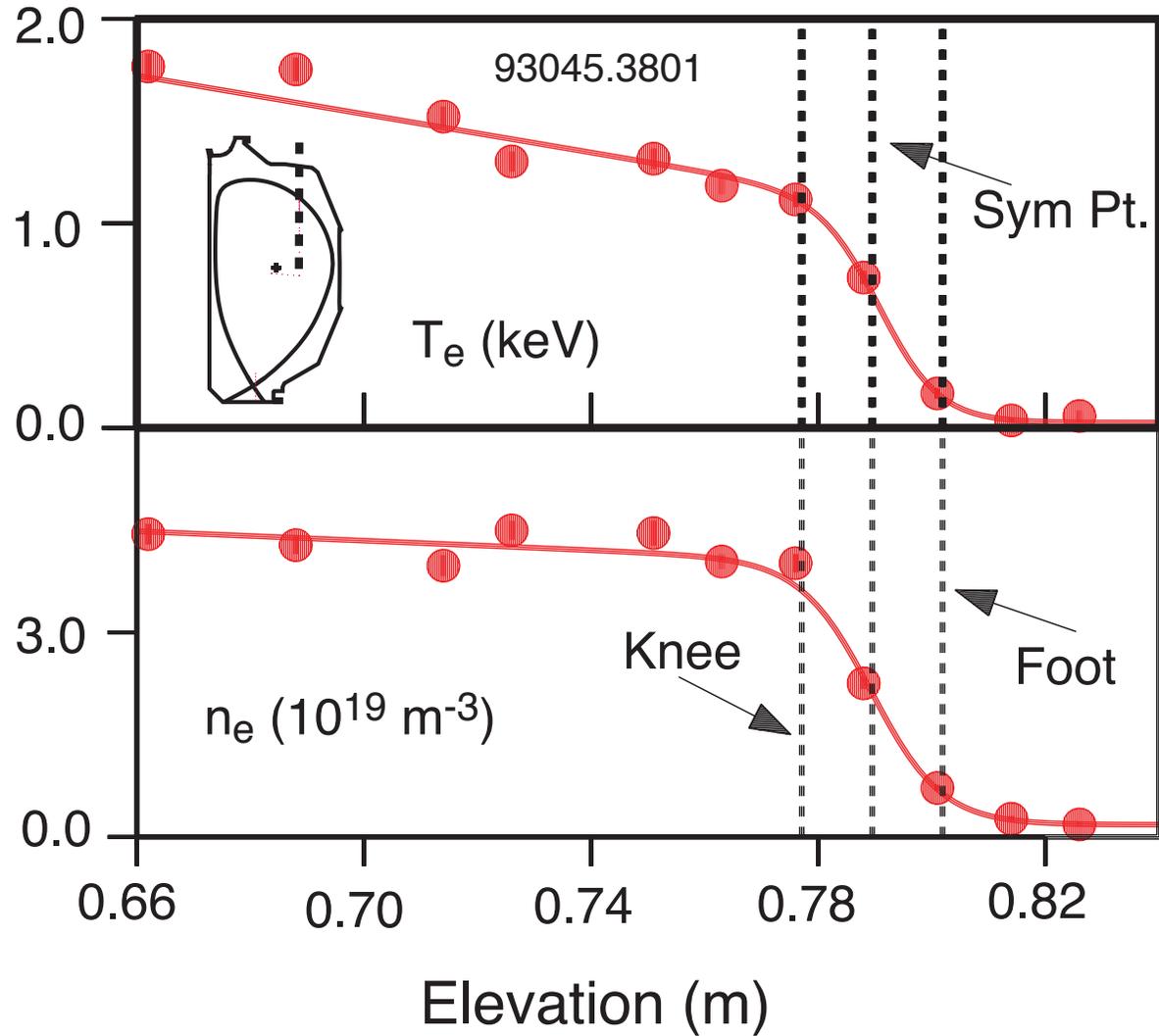
- ◆ **Obtain modified hyperbolic tangent fits to edge  $T_e$  and  $n_e$  profiles**
  - - Use these to evaluate  $L_{n_e}$ ,  $L_{T_e}$  and  $\eta_e$
- ◆ **For a general survey, evaluate these quantities at the point of steepest density gradient**
  - We might expect the effects of ETG turbulence to show up first at that location
- ◆ **Evaluate data during ELM-free phases of several discharges**
  - - Avoid potential complications due to ELMs
- ◆ **Nota Bene: All measurements are in elevation along Thomson laser chord; no projections to midplane**

# DEFINITION of MODIFIED TANHFIT



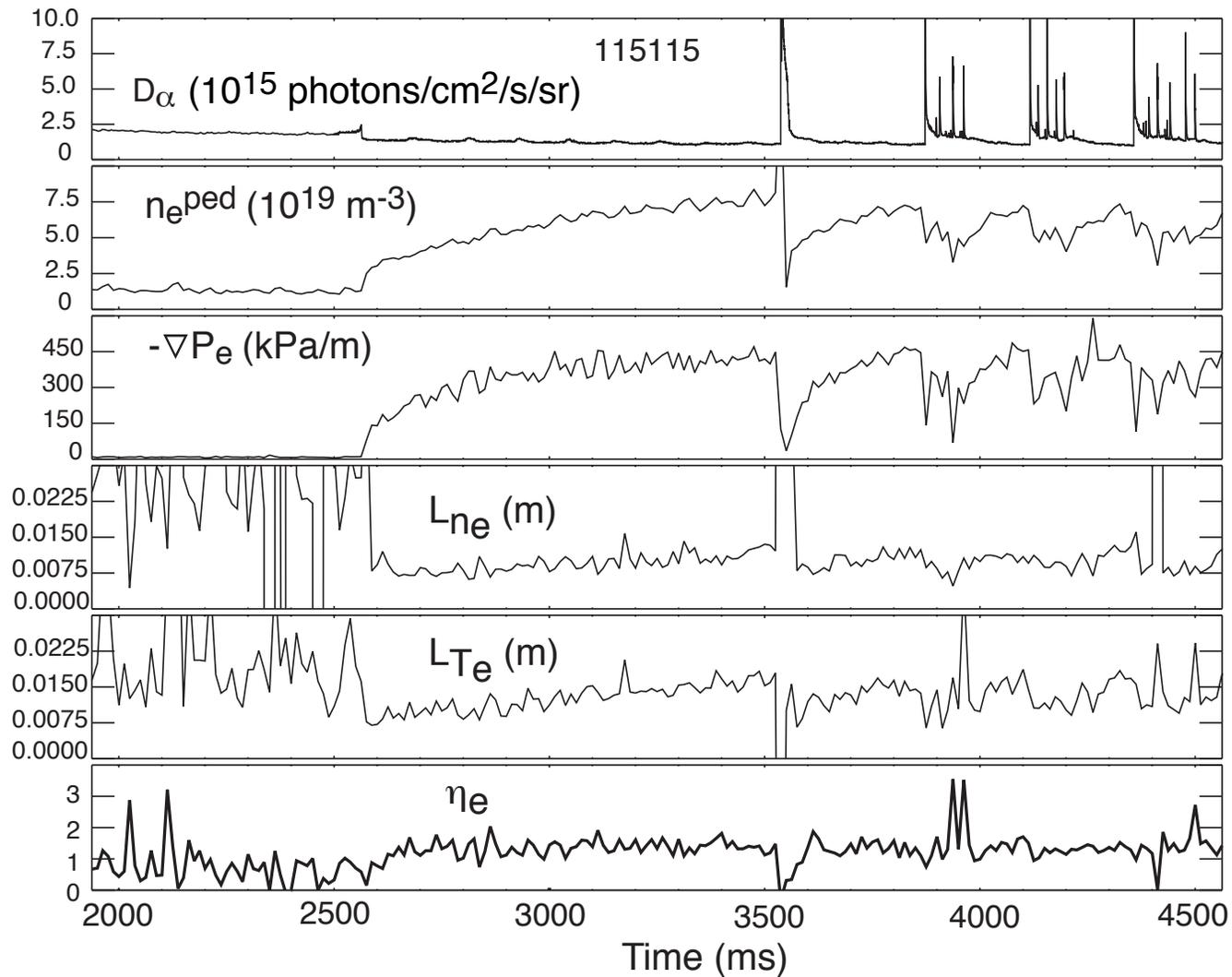
# Picture of analysis technique

- ◆ Circles are data; solid lines are fits to data
- ◆ Region of steep density gradient is between knee and foot of the profile
- ◆ Steepest gradient is at symmetry point
- ◆ Coordinates are along Thomson chord



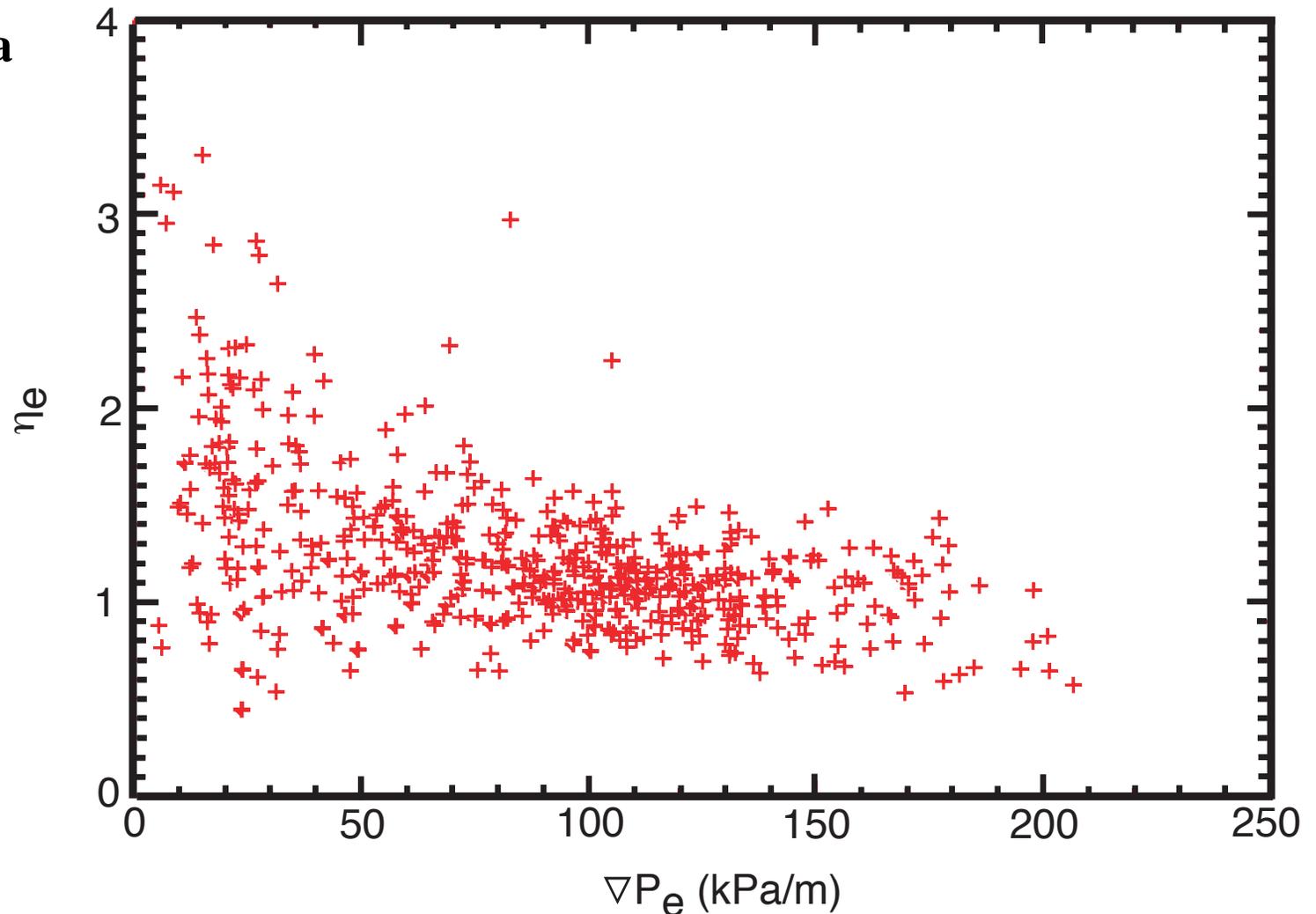
# Results

# Typical Waveform Showing Temporal Evolution of $L_{n_e}$ , $L_{T_e}$ and $\eta_e$



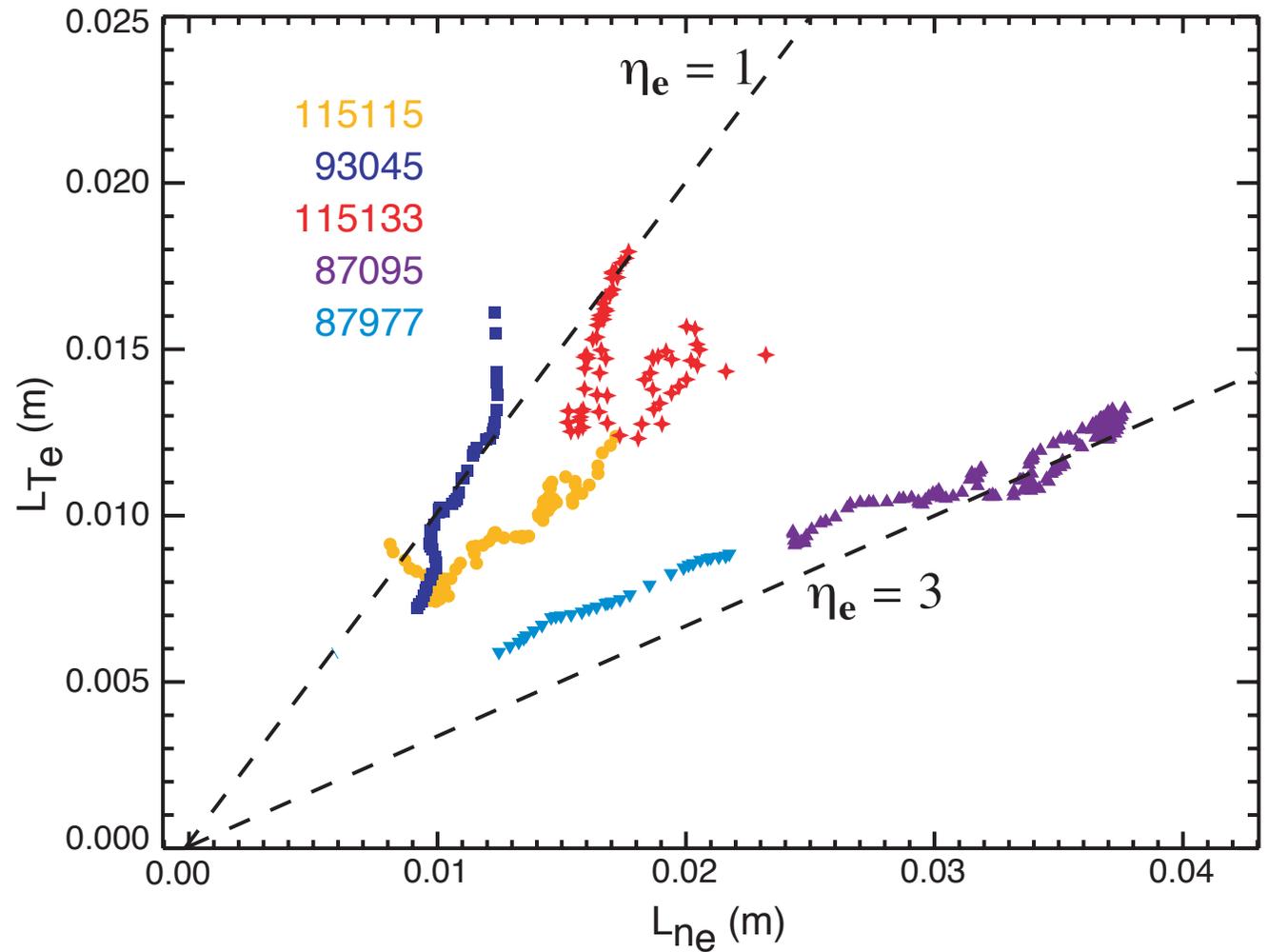
# $\eta_e$ Asymptotes to $\sim 1$ at Large $\nabla P$

- ◆ Data are for a fixed discharge shape
- ◆ Cover a wide range of density, current and field
- ◆ Include two directions of ion  $\nabla B$  drift



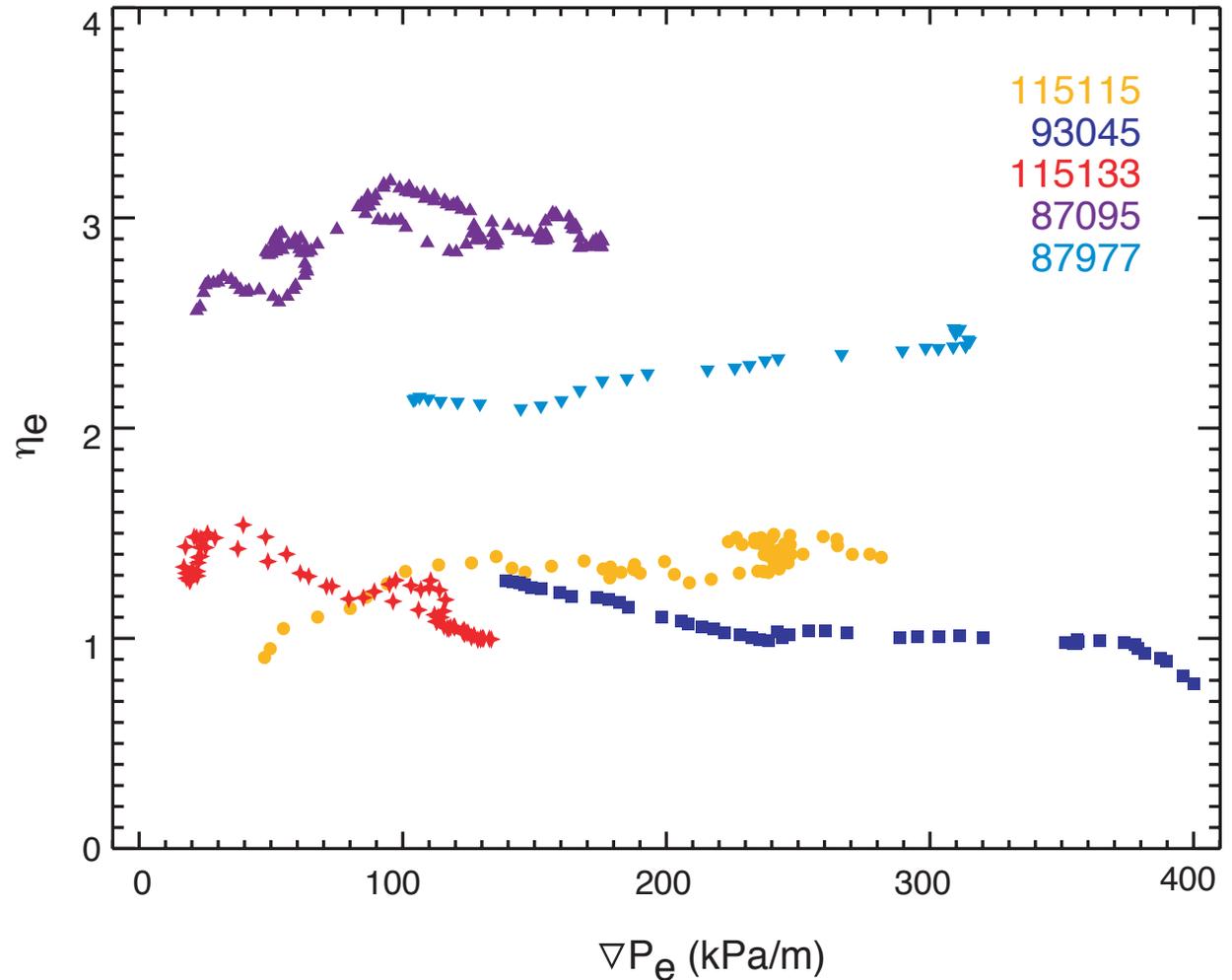
# $L_{Te}$ is Roughly linearly related to $L_{ne}$

- ◆ Data from ELM-free phases of discharges with a range of shapes
- ◆ 50 ms moving boxcar average has been applied to data



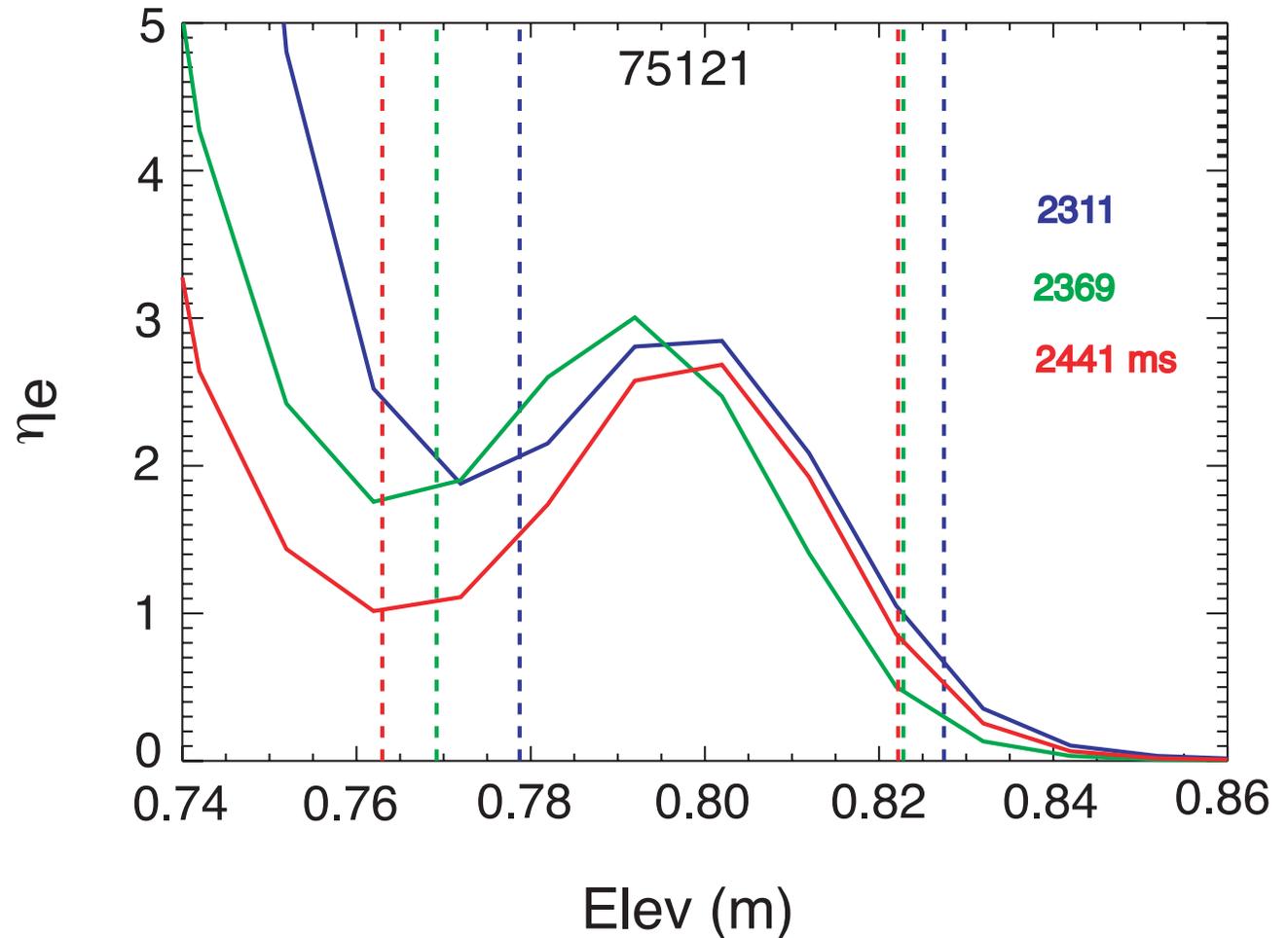
# $\eta_e$ is in range of $\sim 1-3$

- ◆ Data are from survey shown in previous figure
- ◆ For a given discharge,  $\eta_e$  is approximately constant as  $\nabla P_e$  varies
- ◆ Two discharges with highest  $\eta_e$  were high performance discharges in high  $\delta$ , double null shape



# $\eta_e$ Is In Range of 1-3 Throughout Pedestal

- ◆ A VH-mode discharge
- ◆ Dashed vertical lines show knee and foot of density profile at different times
- ◆  $\eta_e$  is computed locally across the profiles from hyperbolic tangent fit



# Summary/Conclusions

# Summary

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- ◆ **Several empirical observations suggest that shapes of  $T_e$  and  $n_e$  profiles are related in H-mode barrier**
- ◆ **ETG theory has been used to design a survey of DIII-D data**
- ◆ **The results show evidence of:**
  - **Linear relationship between  $L_{T_e}$  and  $L_{n_e}$  at steepest part of density gradient**
  - **$\eta_e$  is in range of  $\sim 1-3$  at that location**
  - **$\eta_e$  is in range of  $\sim 1-3$  throughout density pedestal**

# Conclusions

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- ◆ **These data could be evidence that density profile has a strong effect on electron thermal transport**
- ◆ **ETG turbulence is a candidate for a mechanism that would have this feature**
- ◆ **Further studies await a model for ETG transport which is valid for pedestal conditions**
  - **Must explain the observed range of  $\eta_e$**