

H-MODE EDGE-DRIVEN INSTABILITIES AS LOW- n KINK/BALLOONING MODES

J.R. Ferron, L.R. Baylor,* M.S. Chance,† M.S. Chu,
G.L. Jackson, L.L. Lao, M. Murakami,* T.H. Osborne,
P.B. Snyder, E.J. Strait, A.D. Turnbull, M.R. Wade*

General Atomics, San Diego, CA

* Oak Ridge National Laboratory

† Princeton Plasma Physics Laboratory

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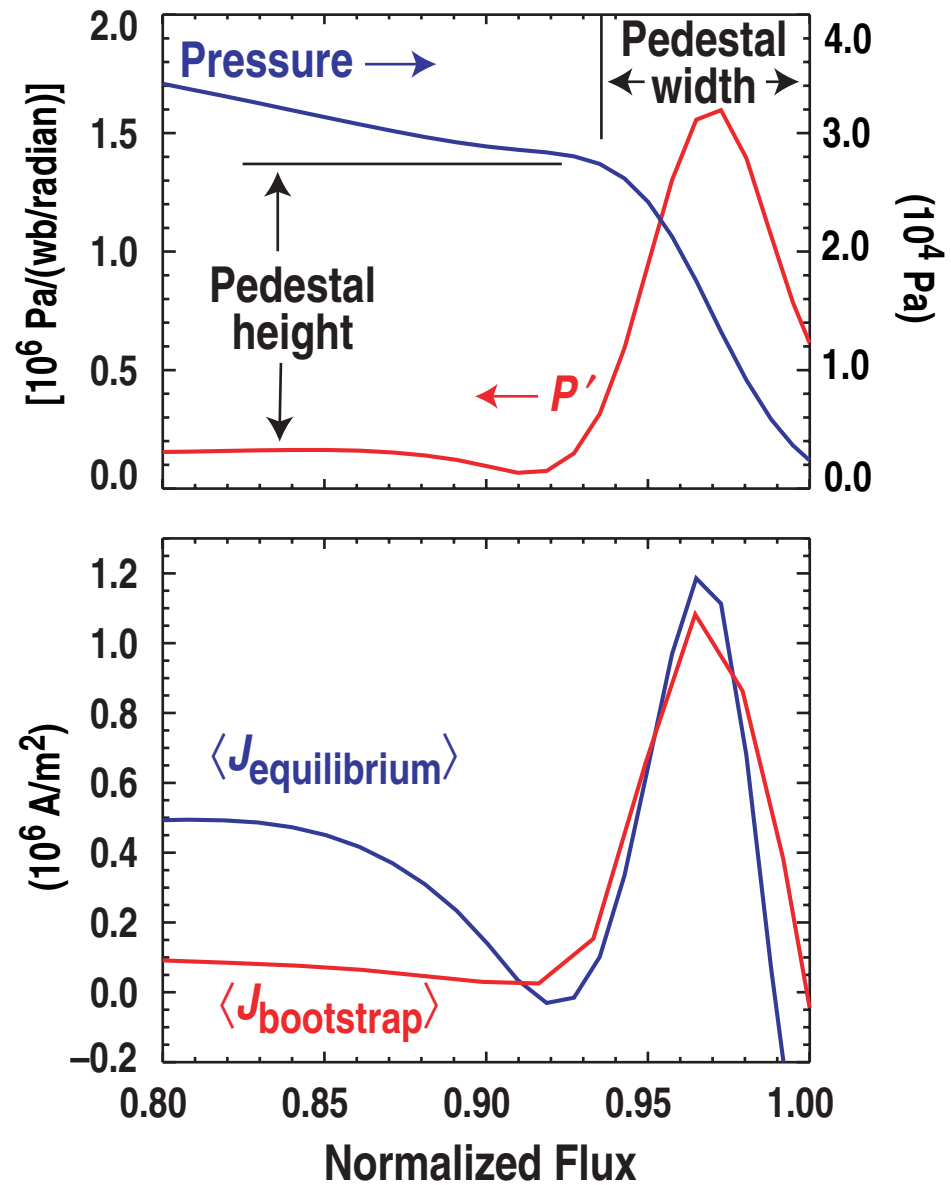


EXPERIMENTAL AND THEORETICAL EVIDENCE POINTS TO LOW- n KINK/BALLOONING MODES AS THE CAUSE OF TYPE I ELMs IN TYPICAL DIII-D DISCHARGES

- **Physics model for edge stability threshold:**
 - Instability driven by pressure gradient and associated bootstrap current in the H-mode edge pedestal region
 - High- n ballooning mode second stability regime access aided by the bootstrap current
 - P'_{edge} increases above the ballooning mode first regime limit until low- n kink/ballooning mode triggered
- **Experiment: change parameters that the model predicts are keys to the edge stability physics**
 - Discharge shape: triangularity, squareness
 - Edge P' : pellet injection
- **The instability character can be modified: amplitude, frequency**
 - Support for the edge stability physics model is obtained

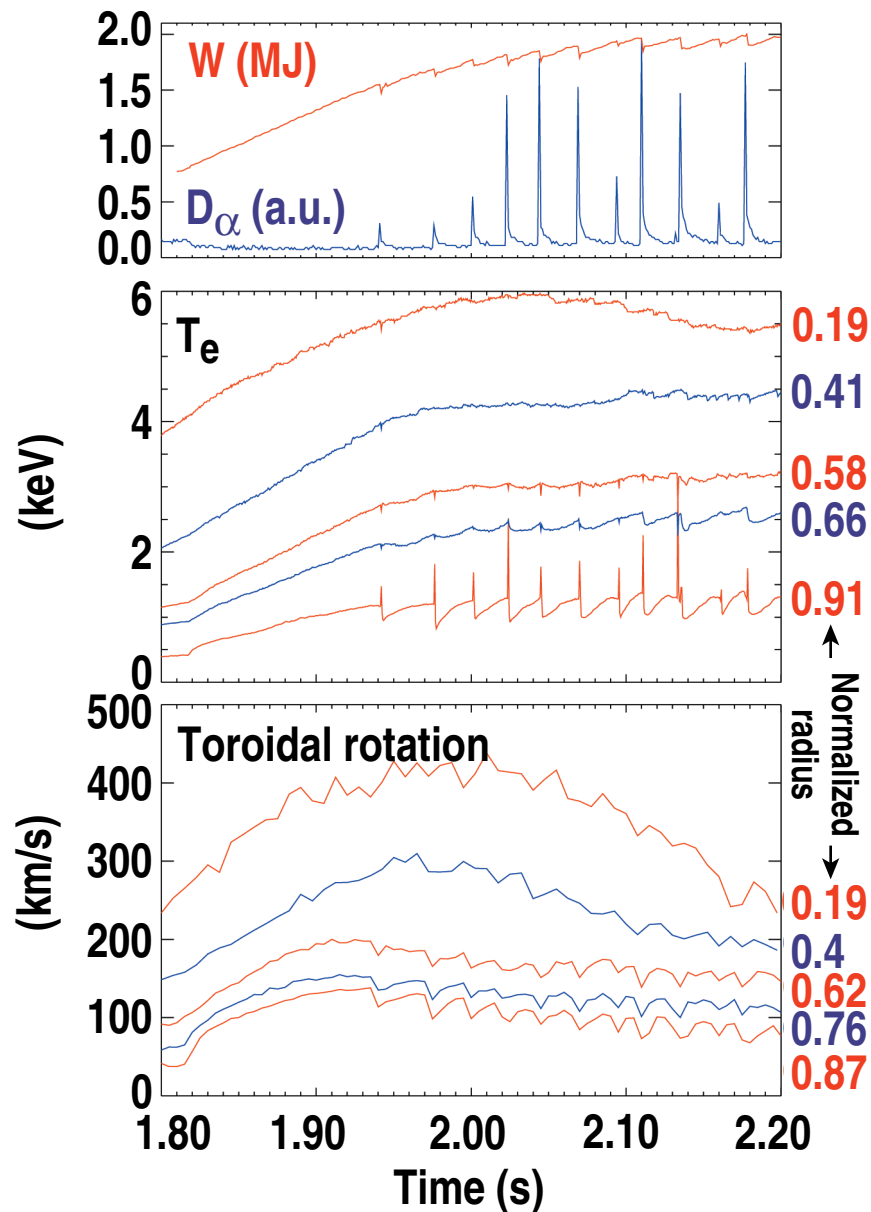
THE H-MODE EDGE TRANSPORT BARRIER CONFIGURATION PROVIDES THE DRIVE FOR INSTABILITY

- Edge pedestal: large pressure change in a narrow region
- Free energy for edge localized modes (ELMs)
 - Large P'_{edge}
 - Bootstrap current (J_{edge})



ELMs IMPACT THE DISCHARGE IN BOTH NEGATIVE AND POSITIVE WAYS

- ELM perturbations inhibit internal barrier formation
 - Core momentum density decreases after ELMs begin
- Other detrimental effects:
 - Divertor heat pulses
 - Neoclassical tearing mode seed islands
- Pedestal height is correlated with confinement
 - “Stiff” transport models
- ELMs help control electron and impurity densities
- These are “Type I” ELMs



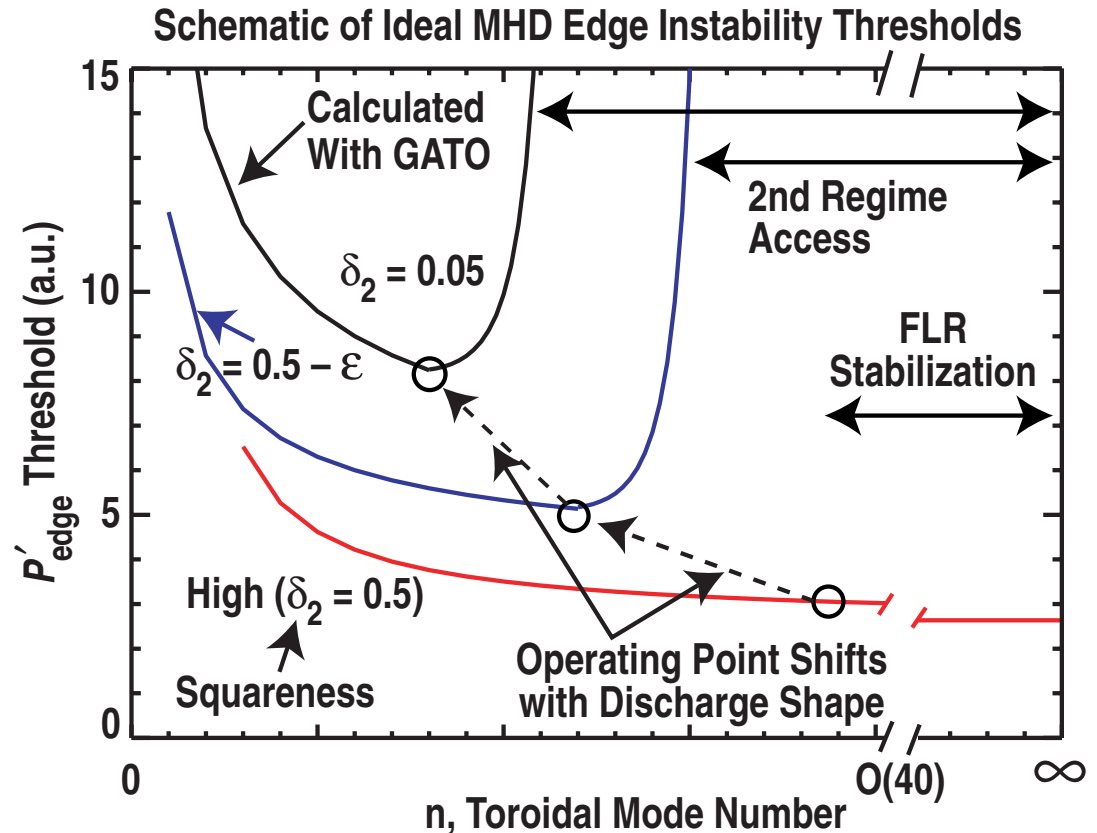
THEORY AND EXPERIMENT EXHIBIT THE FEATURES OF A MODEL OF TYPE I ELMs AS LOW- n CURRENT/PRESSURE DRIVEN INSTABILITIES

- ELM is the highest n -mode without 2nd regime access

- High squareness: no 2nd regime access

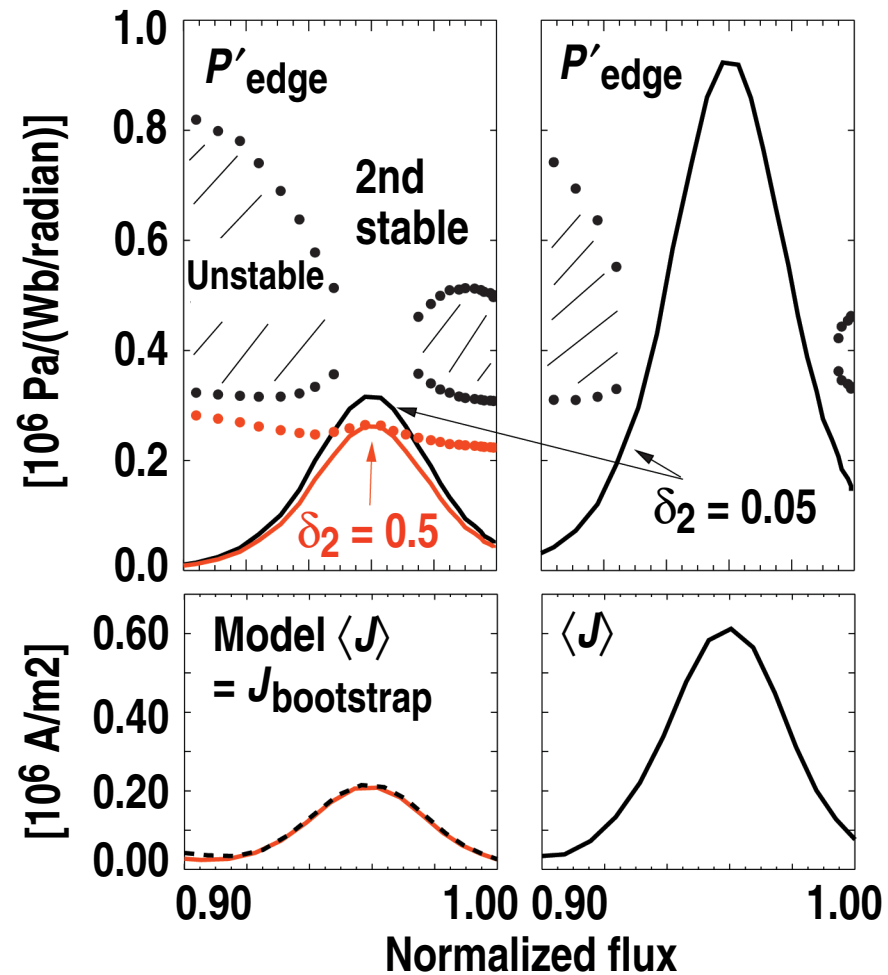
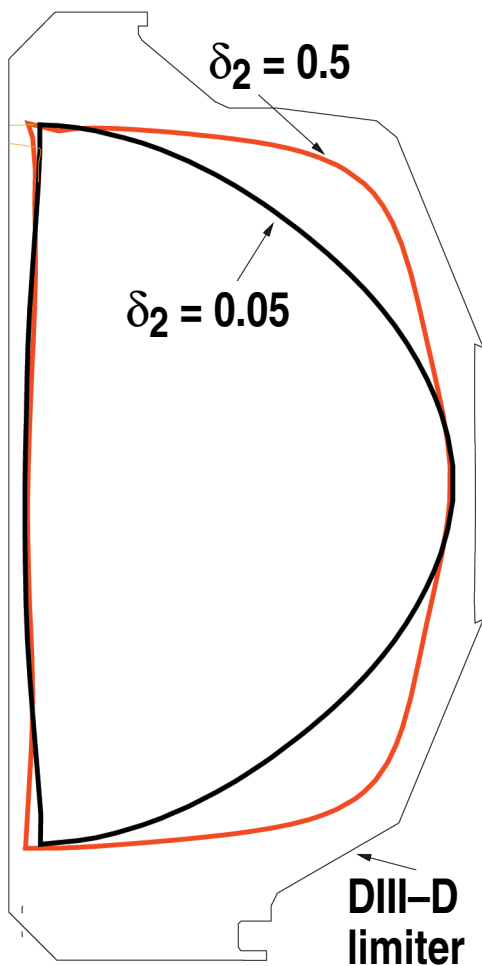
- Shape changes toward easier 2nd regime access (squareness, triangularity) \Rightarrow

- Higher P'_{edge} (factor 2–3)
- Larger ELM amplitude
- Factor 100 lower frequency
- Infer lower n
- Theory: $n_{2\text{nd}}$ decreases
- Theory: P'_{edge} threshold decreases with n



HIGH SQUARENESS SHAPES ARE NOT EXPECTED TO HAVE SECOND STABLE REGIME ACCESS

- Low poloidal field at the “corners” weights the bad curvature regions

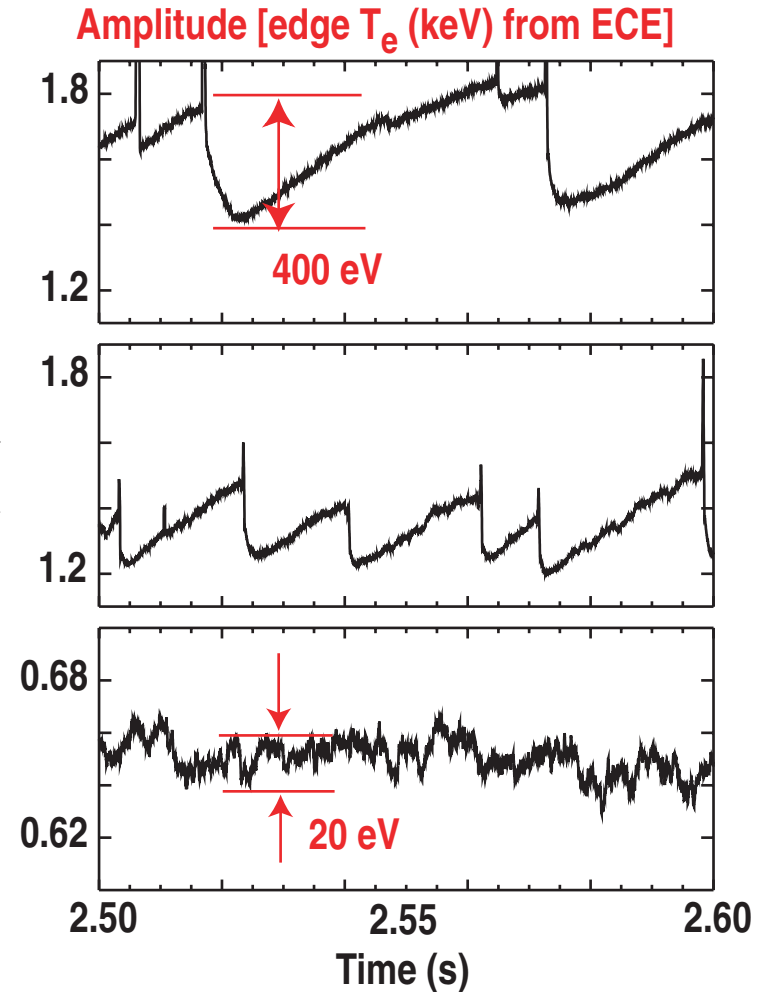
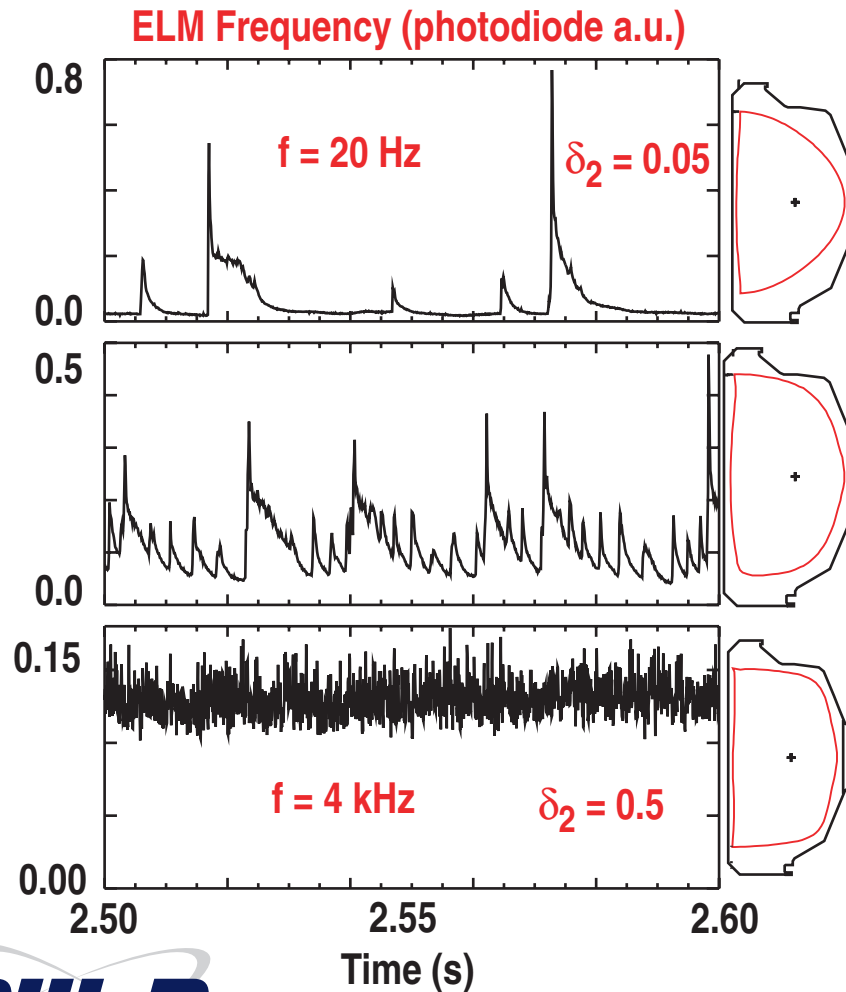


- $\delta_2 = \text{squareness } (R(\theta) = R_0 + a \cos(\theta + \sin^{-1} \delta \sin \theta), Z(\theta) = \kappa a \sin(\theta + \delta_2 \sin 2\theta))$

CHANGE IN BALLOONING 2nd REGIME ACCESSIBILITY IS INDICATED BY CHANGES IN ELM FREQUENCY AND AMPLITUDE

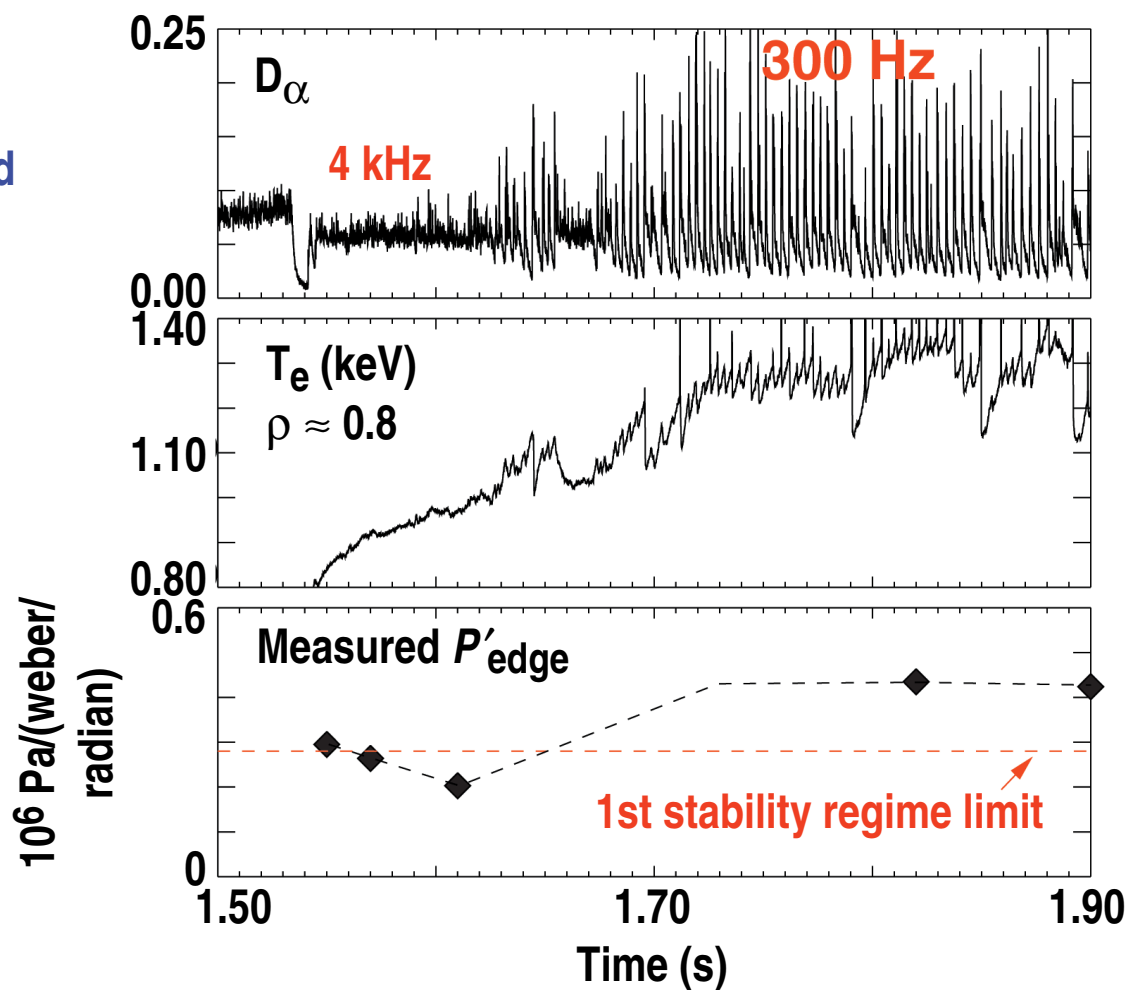
- At sufficiently high squareness:
 - ELM frequency increases a factor of 10
 - T_e perturbations are not measurable

- Abrupt: only a small shape change required



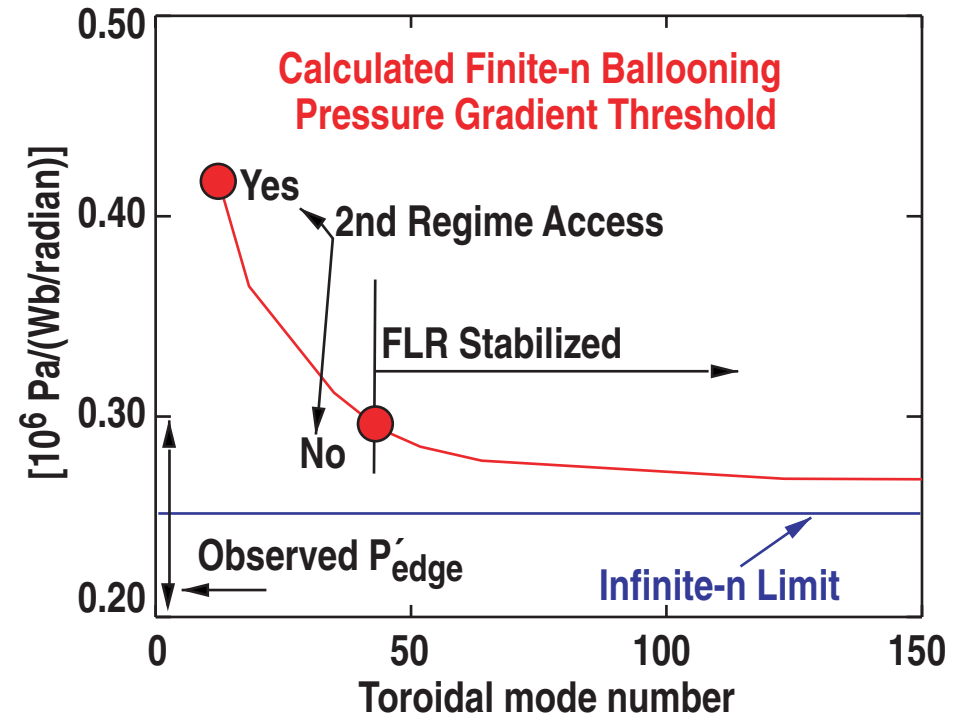
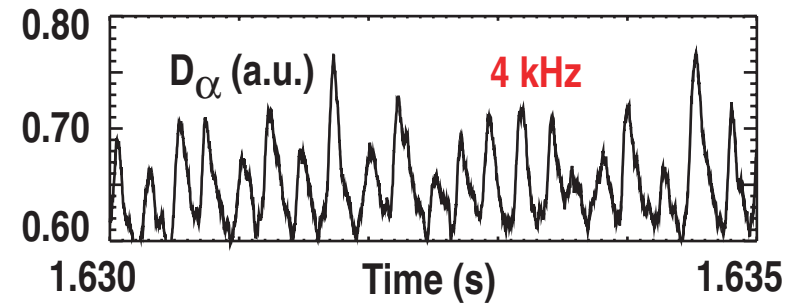
SHIFT IN 2nd STABLE REGIME ACCESS OBSERVED AT CONSTANT DISCHARGE SHAPE

- J evolution after H-mode transition
- Shape marginal for second regime access
- Changes to note:
 - ELM frequency
 - T_e perturbation
 - Pressure gradient



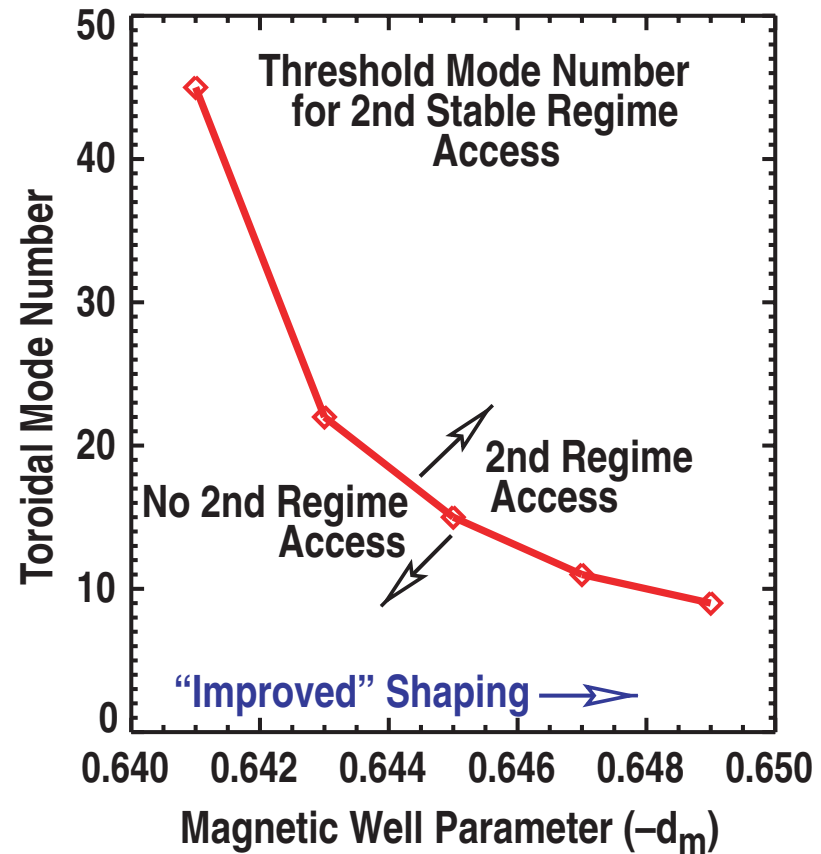
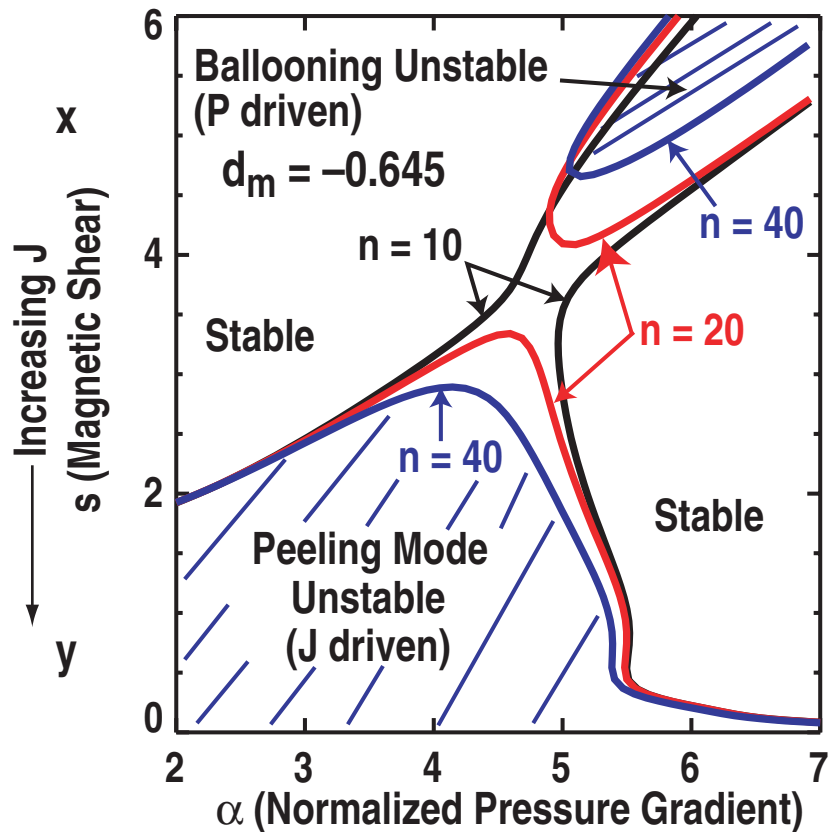
WITH NO 2nd REGIME ACCESS, OBSERVED ELMs SHOULD HAVE THE LARGEST n WITHOUT FINITE LARMOR RADIUS STABILIZATION

- FLR averaging stabilizes modes with $k_{\perp}\rho_i > 0.5$
- High squareness, without second regime access:
 - Small, but still discrete, ELMs
- Finite- n corrections to infinite- n theory give the P'_{edge} threshold at intermediate n values
- BALMSC code (M.S. Chu, M.S. Chance)



INTERMEDIATE-n MODES CAN HAVE A 2nd REGIME OF STABILITY

- Evaluated for high aspect ratio, shifted circle equilibria
- Magnetic well parameter (d_m) models the expected effect of shape changes
- Minimum value of n with 2nd regime access should depend on discharge shape

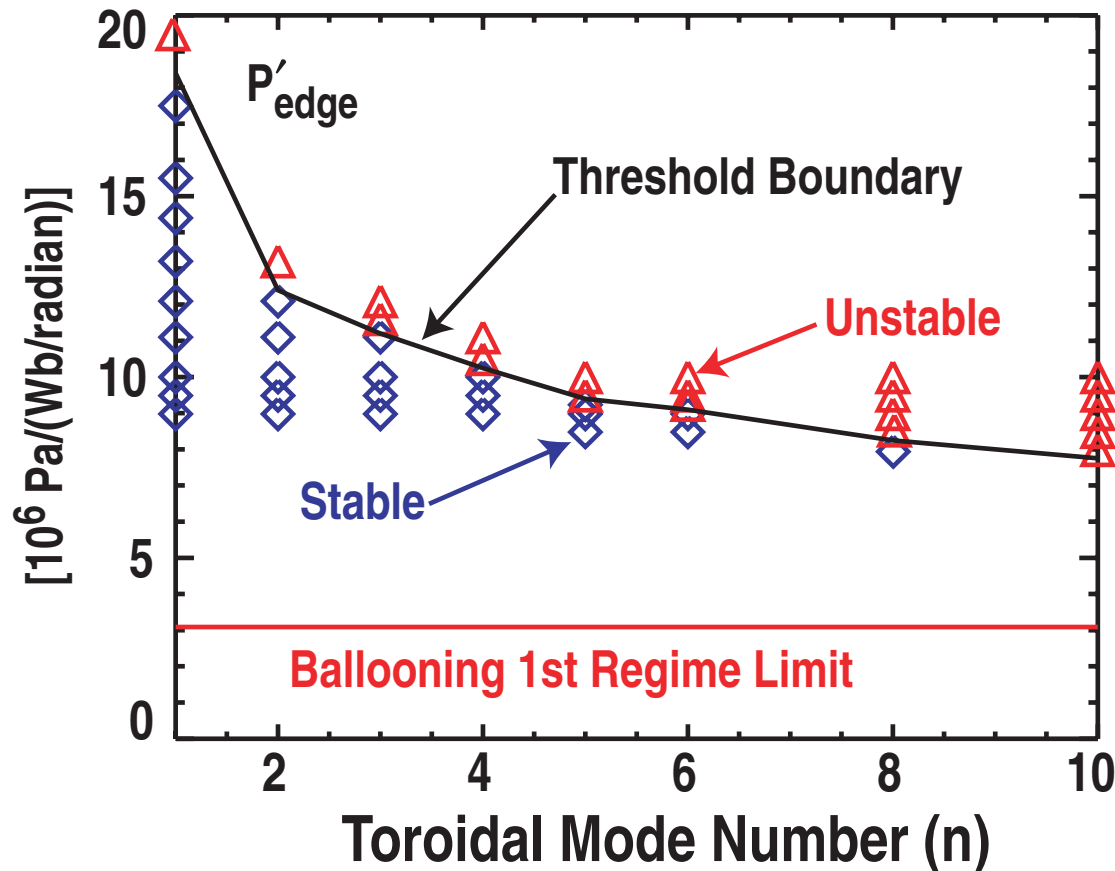


- Results of H.R. Wilson, R.L. Miller, Phys. Plasmas 6, 873 (1999) extended by P. Snyder

MODE WITH THE LARGEST n WITHOUT 2nd STABLE REGIME ACCESS WILL HAVE THE LOWEST P'_{edge} STABILITY THRESHOLD

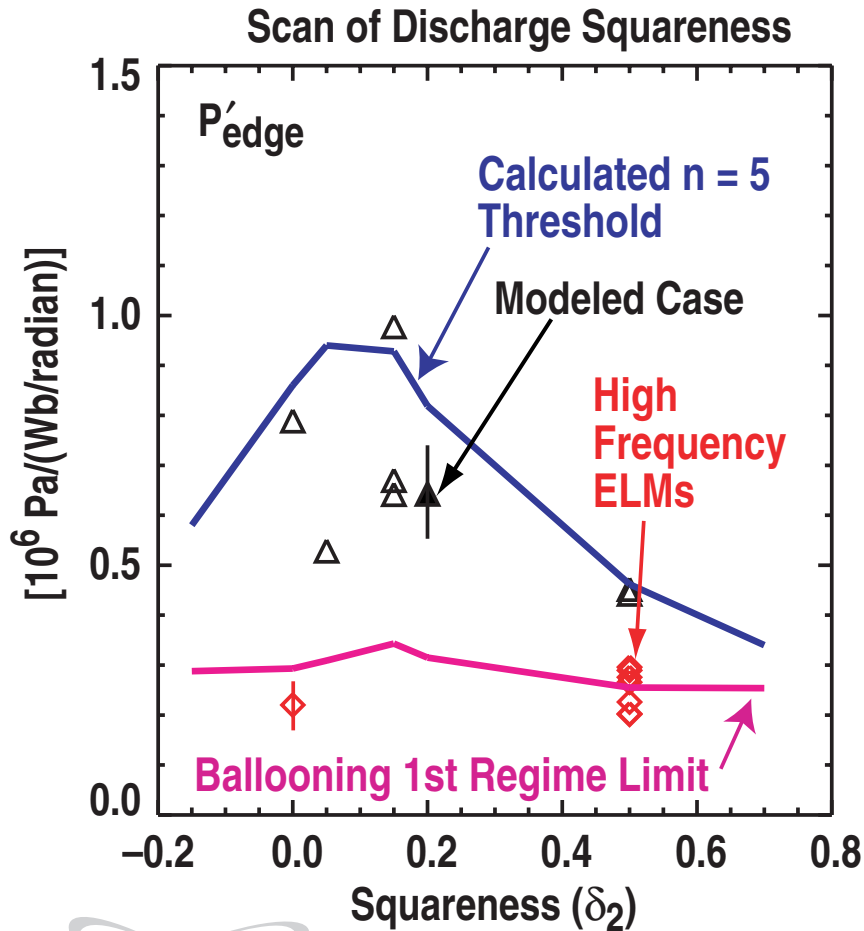
- Calculated P'_{edge} threshold decreases with toroidal mode number
- Fixed, medium squareness ($\delta_2 = 0.05$) shape, wall radius = 1.5α , GATO code

Calculated Stability Threshold (Full Geometry)

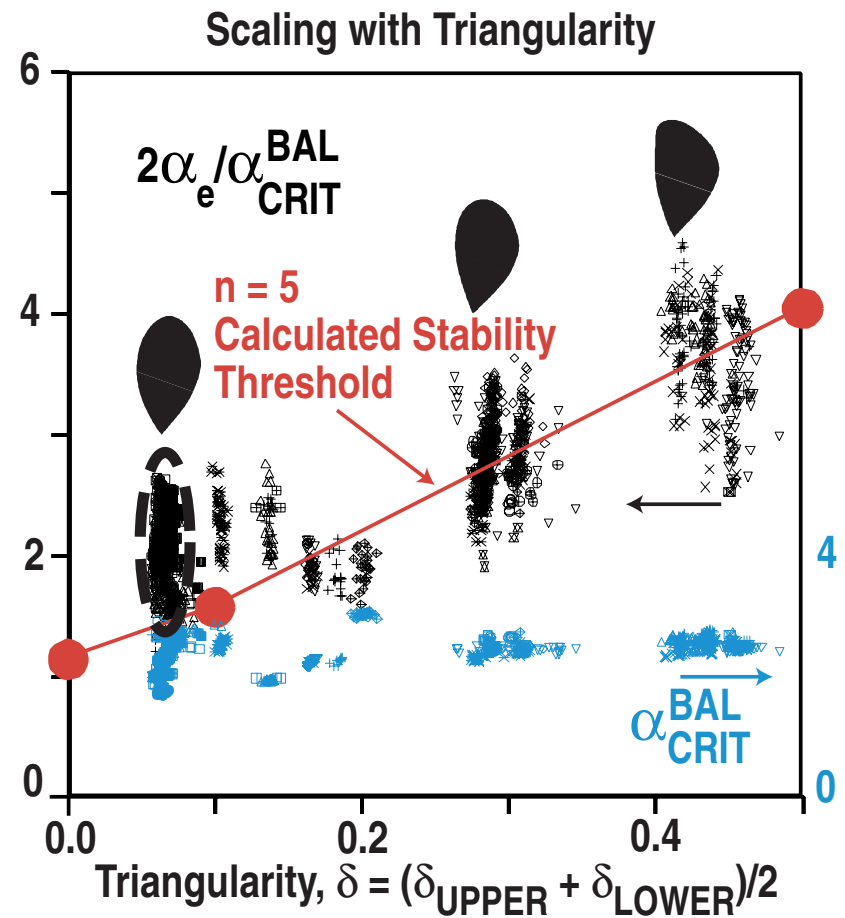


MEASURED P'_{edge} SCALES WITH DISCHARGE SHAPE LIKE THE PREDICTED THRESHOLD FOR $n = 5$ IDEAL, KINK/BALLOONING MODES

- Squareness scan shows quantitative agreement within 40% for similar pedestal width

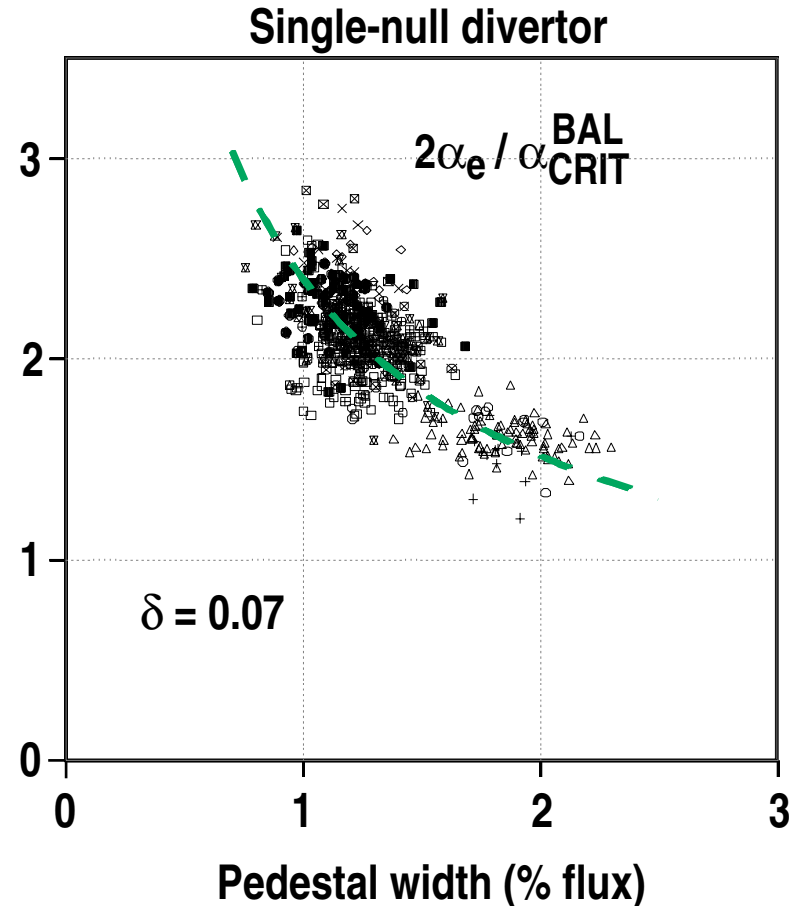
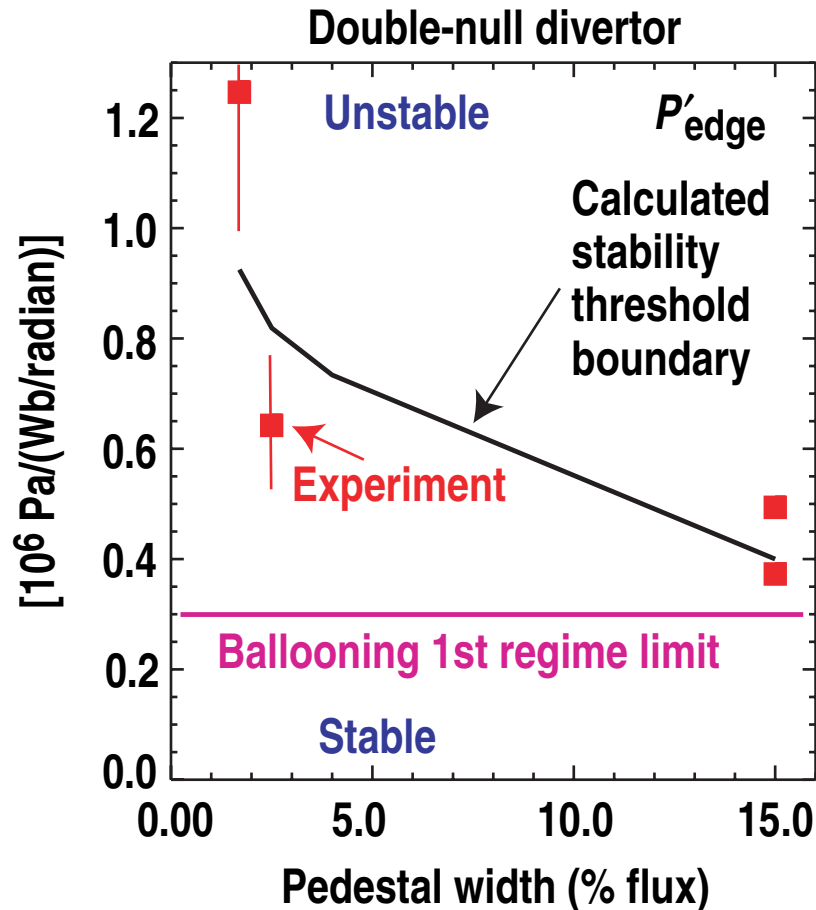


- Pedestal pressure also increases with triangularity

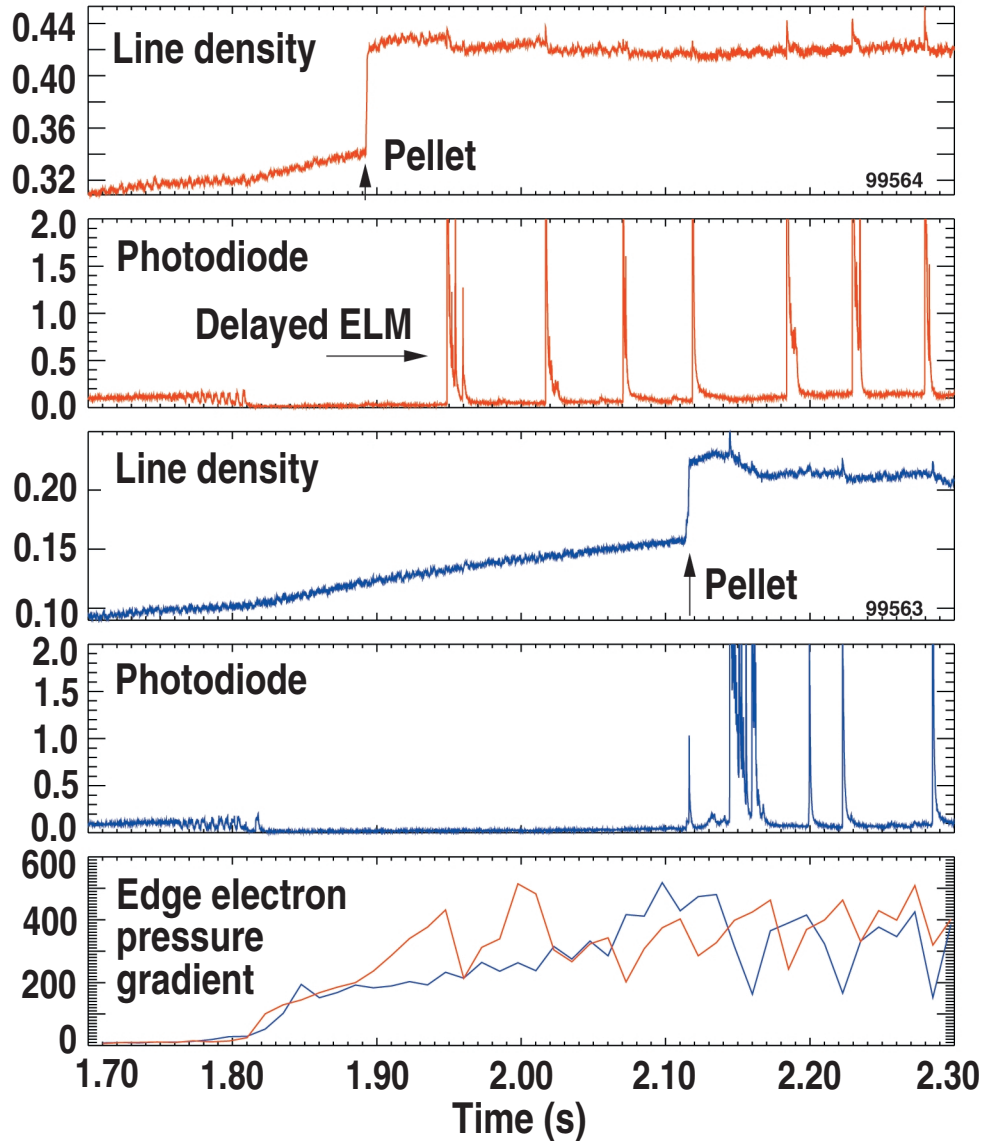


THE P'_{edge} STABILITY THRESHOLD IS REDUCED AS THE PEDESTAL WIDTH INCREASES

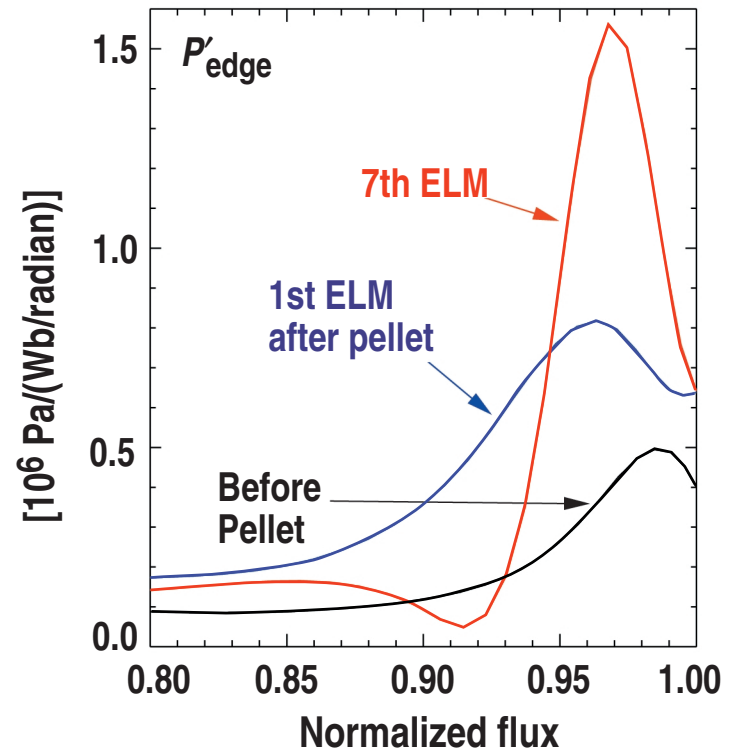
- Results from averaging of P' and J profiles by a long wavelength (low n) mode
- P'_{edge} threshold is reduced to close to ballooning 1st regime limit



ELMing PHASE CAN BE INITIATED BY INJECTING A DEUTERIUM PELLETT TO INCREASE P'_{edge}

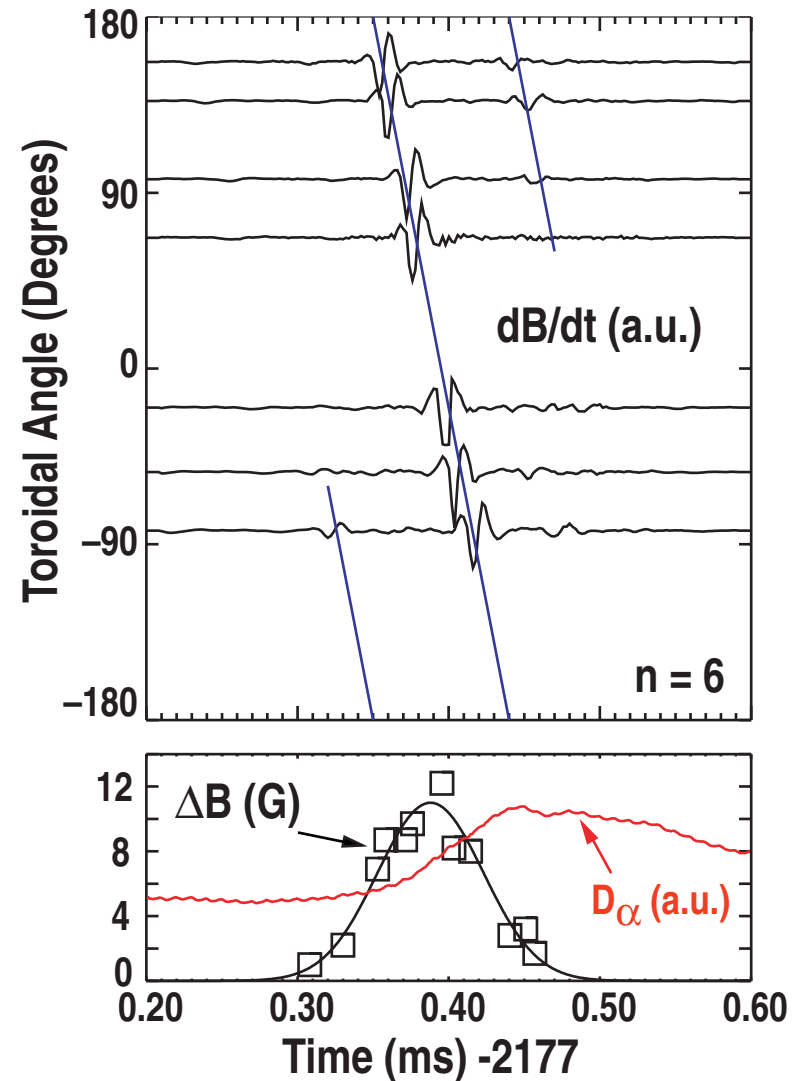


- Time for the edge pressure gradient to build to the ELM threshold \Rightarrow delay between pellet and first ELM
- Threshold = function (width)



MEASURED MAGNETIC FLUCTUATIONS ACCOMPANYING TYPE I ELMs HAVE SHOWN IDEAL INSTABILITIES WITH $2 \leq n \leq 9$

- Rapid growth rate indicates an ideal MHD instability
- Clear mode number measurement is relatively rare
- Infer mode number changes from changes in amplitude and frequency



THE BEST MATCH OF THE DISTINGUISHING FEATURES IN BOTH EXPERIMENT AND THEORY IS TO LOW- n MODES

- ELM character responds to a change in second stability regime accessibility. Demonstrates the character of ELMs generated by high- n modes
 - With second regime access: low frequency, large amplitude ELMs
 - Without second regime access: high frequency, small amplitude ELMs
- With second stability regime access: measured P'_{edge} and calculated low- n stability threshold well above infinite- n limit
- Observed P'_{edge} scales with shape (squareness and triangularity)
 - Similar to scaling of calculated low- n threshold
 - Little change with shape in calculated infinite- n threshold
- Observed and calculated dependence of P'_{edge} threshold on pedestal width
 - Low- n mode averages the profile over a large radial region
 - Infinite- n mode depends on local parameters