

Effects of Resonant Magnet Field Perturbations on Density Profiles, Particle Transport, and Turbulence in DIII-D

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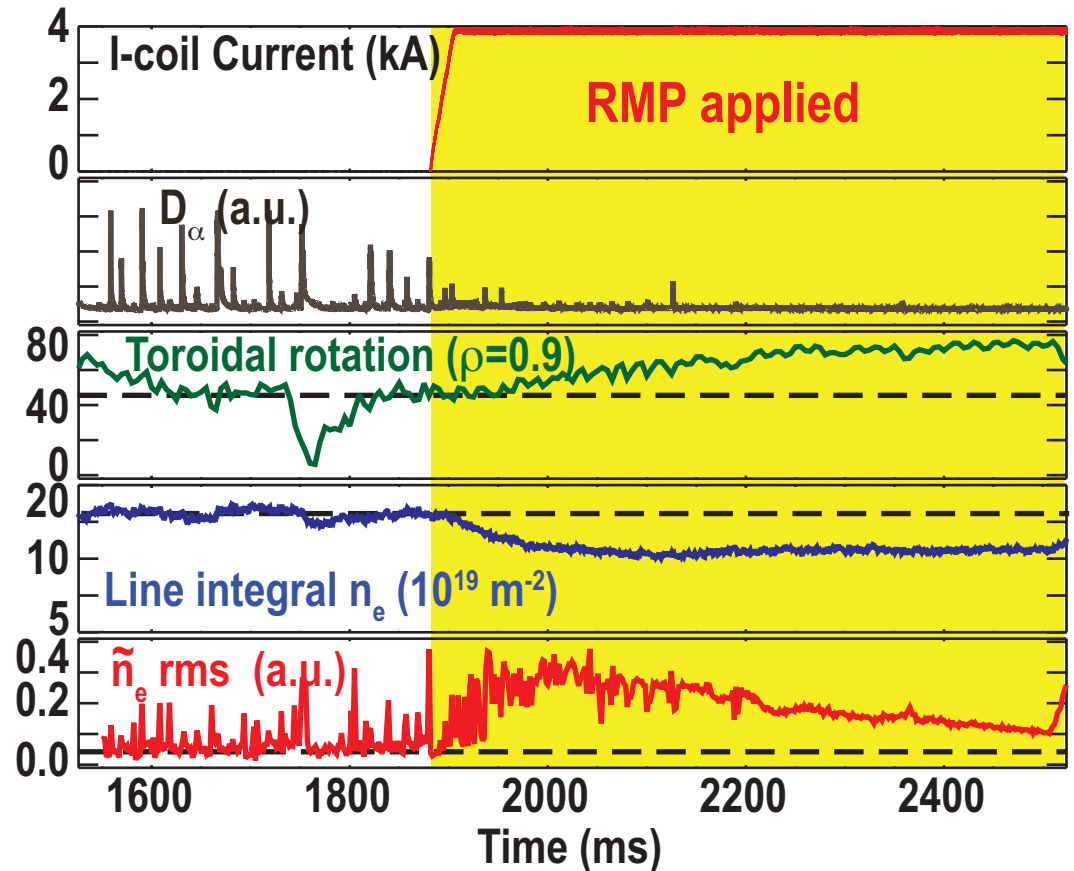
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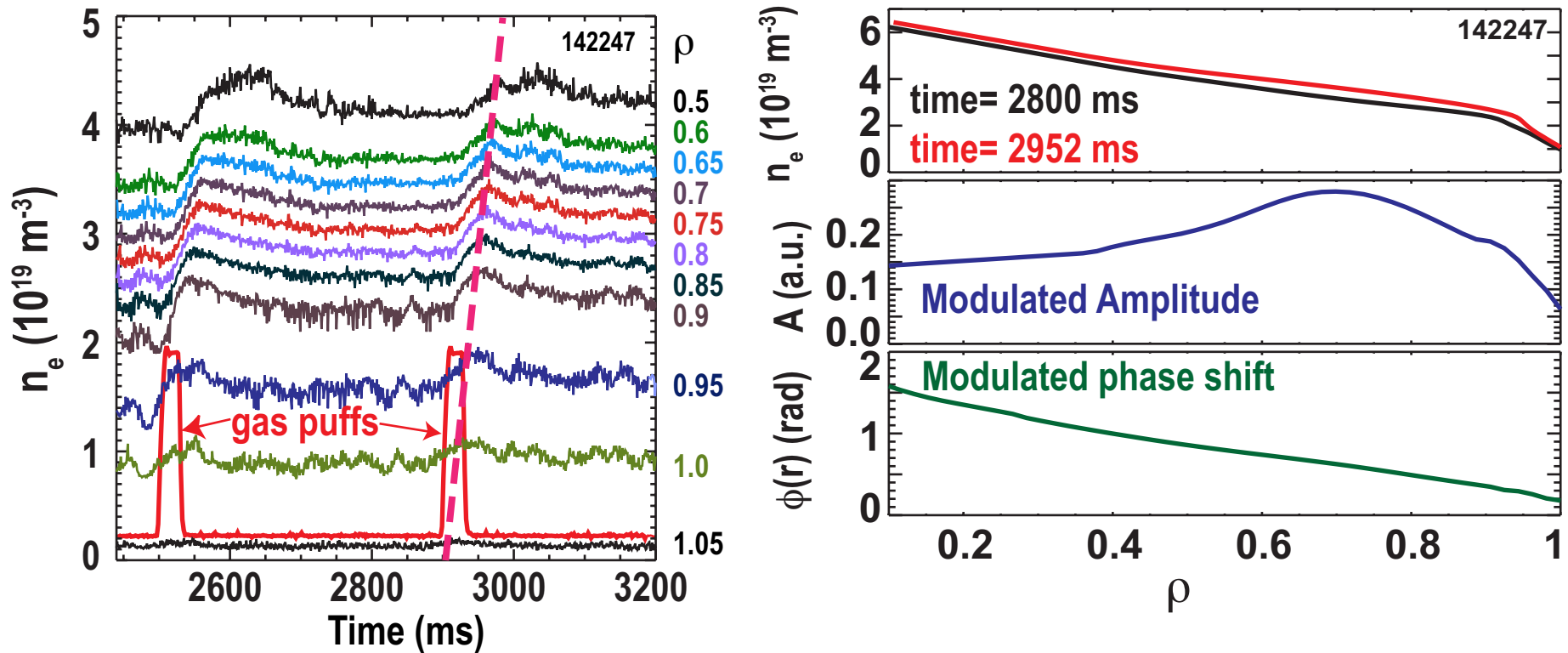
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Motivation: Understanding Transport Changes with RMP is Important for Optimizing ELM Suppression in ITER

- Resonant magnetic perturbations (RMP) affects plasma in multiple ways
 - ELM suppression
 - Rotation changes
 - Density “pumpout”
 - Turbulence changes

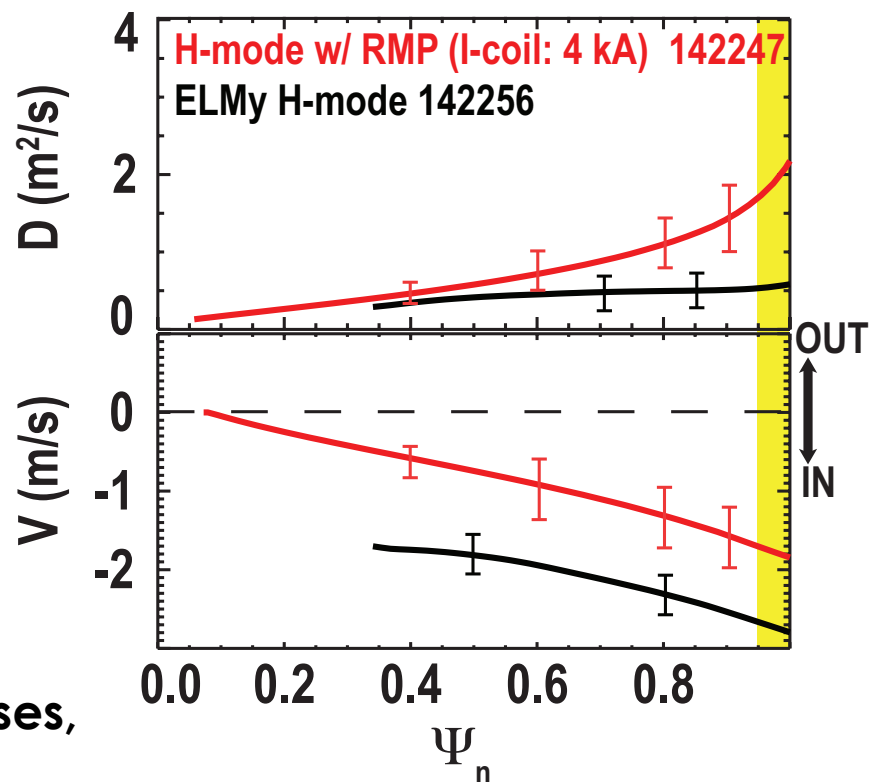
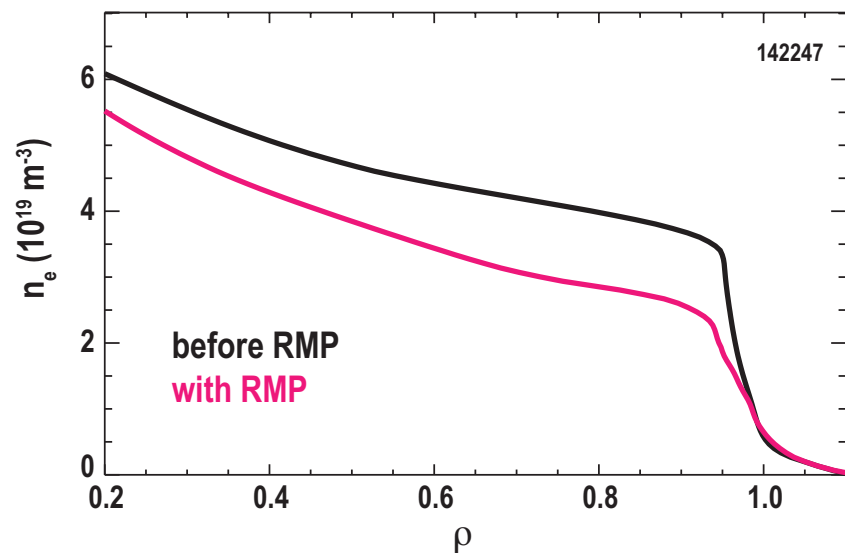


Particle Transport Measured Using Perturbation Technique — D₂ Main Gas Puff Modulation



- Propagation of D₂ gas puffs from edge to core clearly observed
- Reflectometer provides density profiles with high temporal resolution, 0.1 ms
- Analytical expressions exist for perturbed diffusion coefficient (D) and pinch velocity (V) from modulated amplitude and phase shift profiles - see E. J. Doyle, poster Thursday PM, UP9.00055

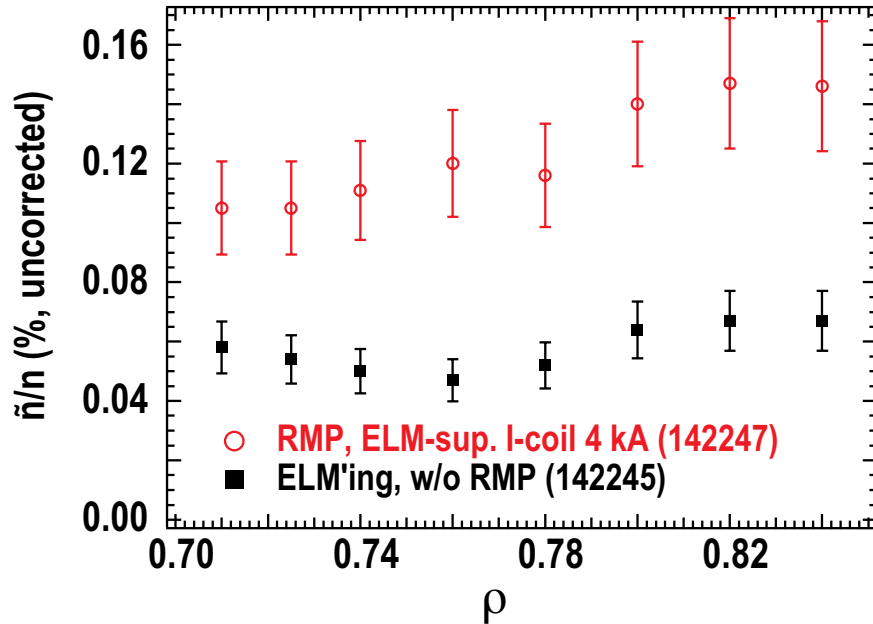
First Direct Measurement of Increase in Perturbed D and Reduction in Pinch V with n=3 RMP Application (H-mode)



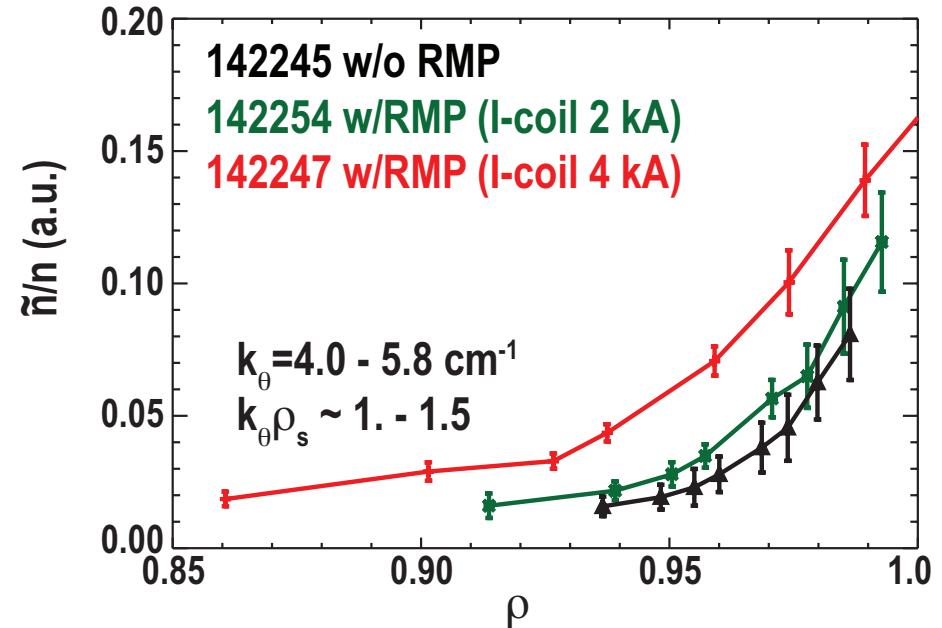
- Diffusive transport (D) clearly increases, while inward pinch (V) decreases
 - Consistent with observed density pump out
- Note: modulated edge neutral source is not considered, which may affect analysis for $\rho > 0.95$

Turbulence Increases with RMP Application in These H-modes, Observed with Multiple Diagnostics

BES measurement $k_{\theta} < 3 \text{ cm}^{-1}$

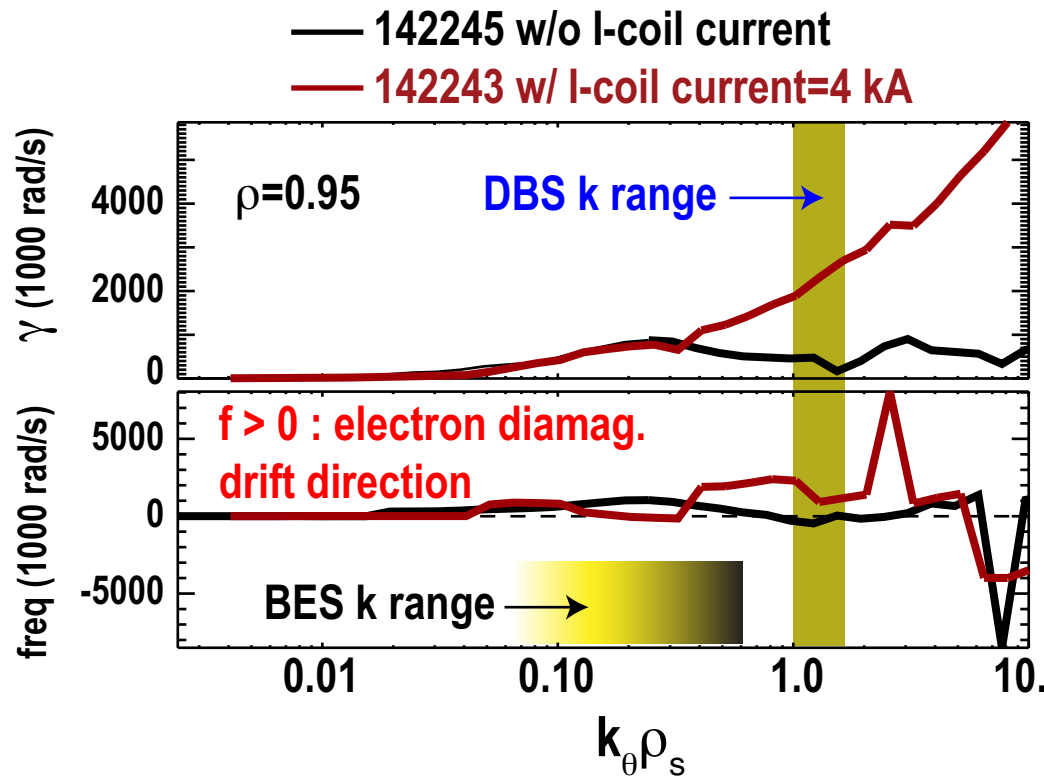


DBS measurement, intermediate k



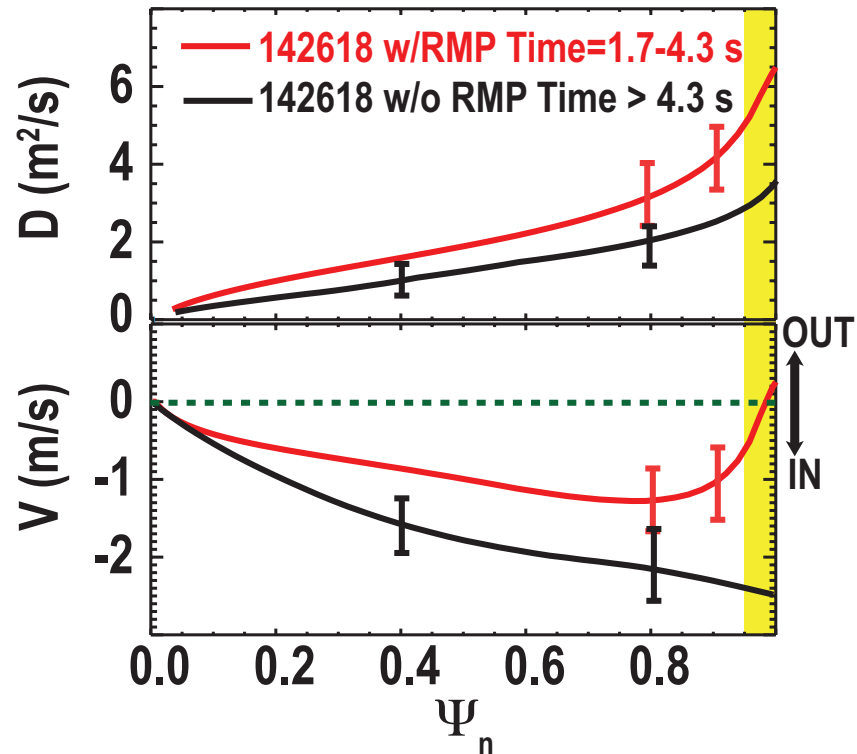
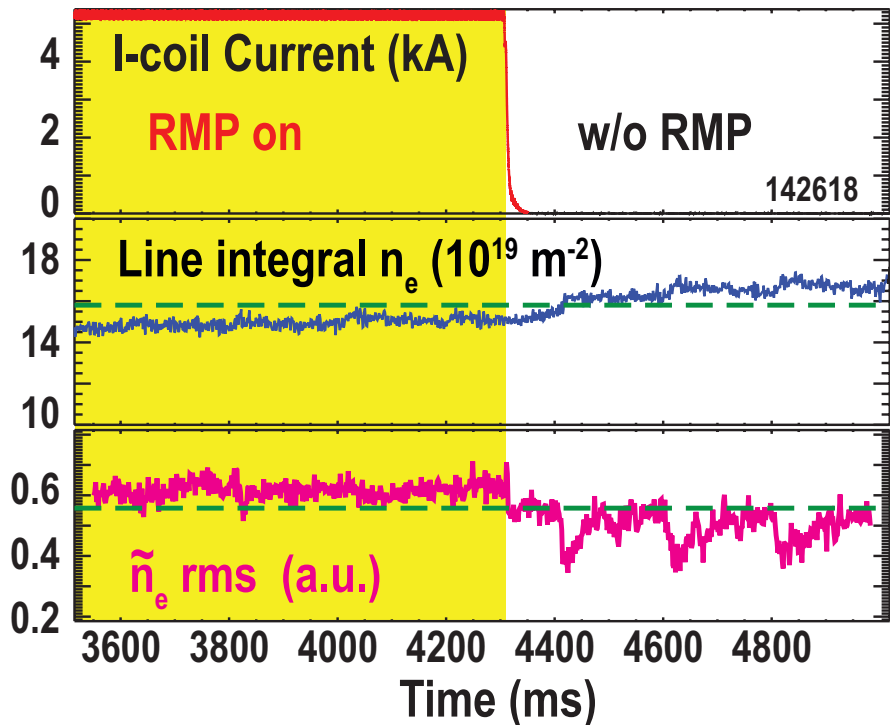
- Beam Emission Spectroscopy (BES) data show low-k turbulence increases in the core
- Doppler backscattering (DBS) data show intermediate-k turbulence increases in the core and edge

Turbulence Changes with Application of n=3 RMP are Consistent with TGLF Analysis



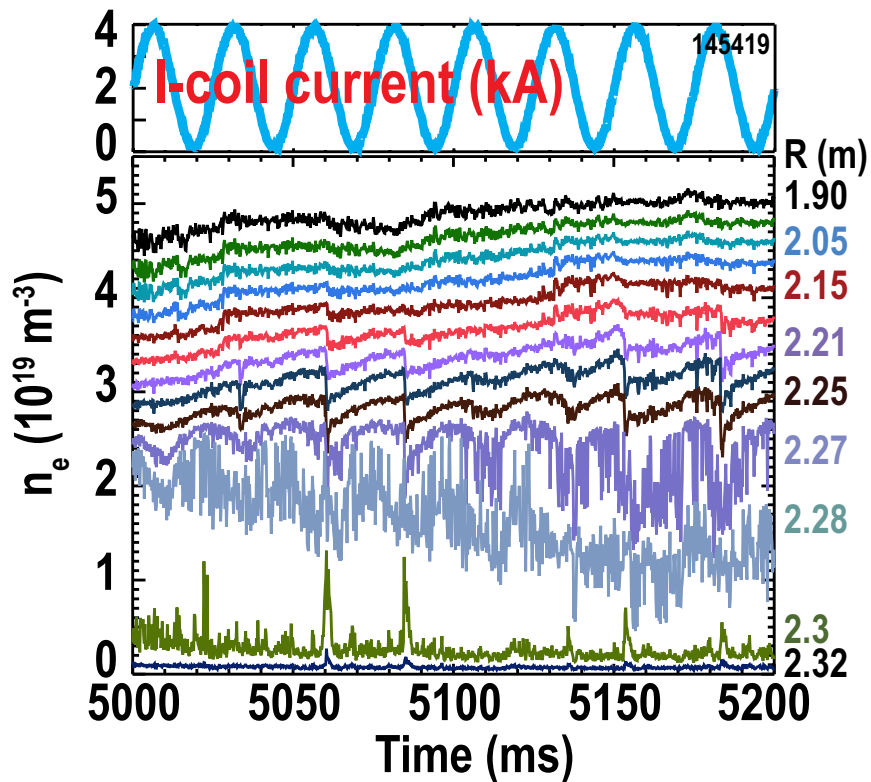
- TGLF: Trapped particle gyro-Landau-fluid model
- Growth rates increase for $k\rho_s > 0.5$ with RMP
- Possible change in turbulence propagation direction
 - Electron diamagnetic drift direction mode with RMP, ion direction without RMP, for $k_{\theta}\rho_s=0.3-3$

L-mode Plasmas Also Respond to RMP, Again with Measured Increase in D and Reduction in V

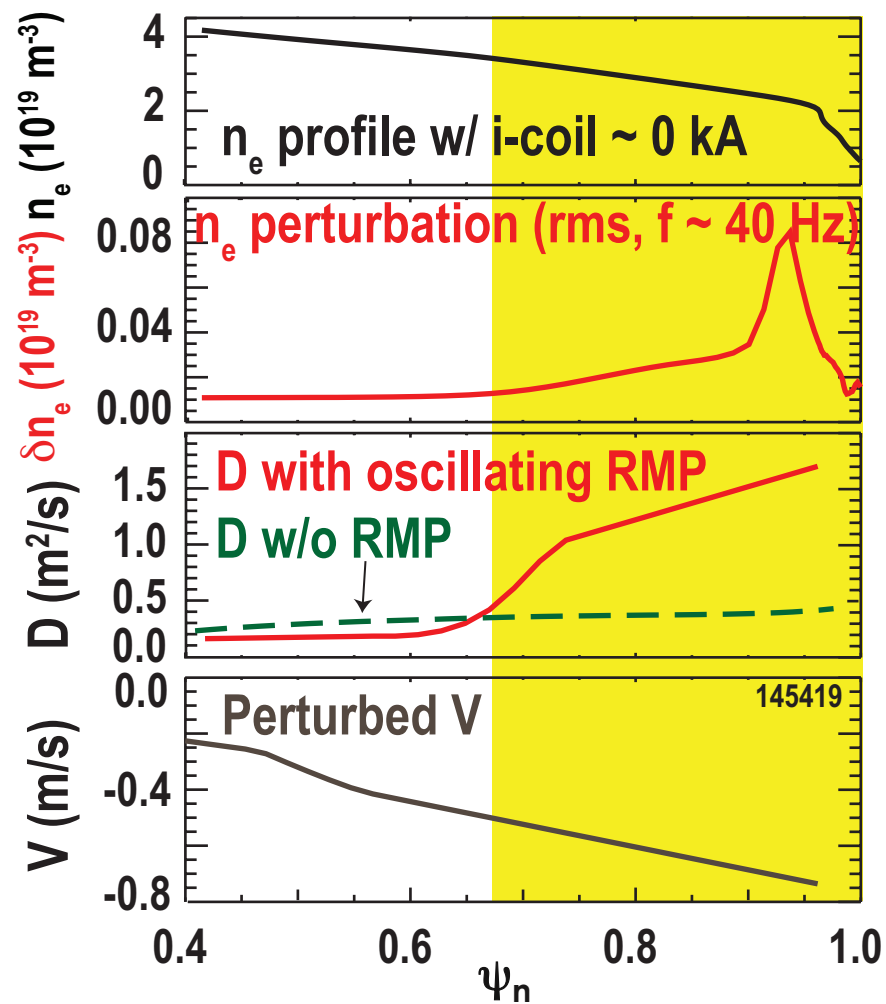


- Measurements confirm that n=3 RMP application also increases particle transport in L-mode

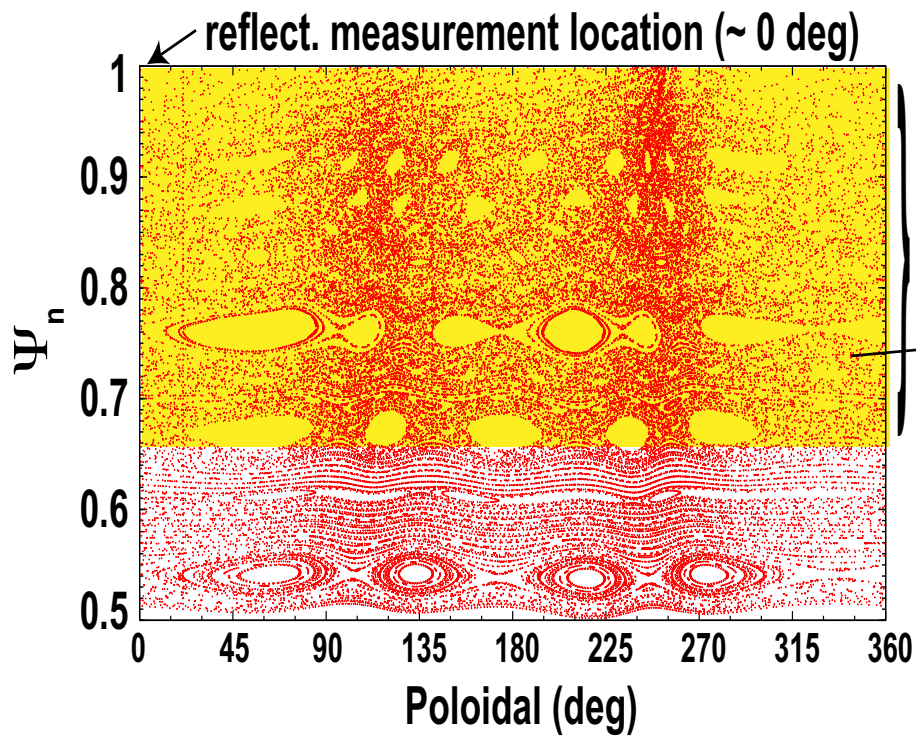
Perturbed D Significantly Increases in Stochastic Area, Via Transient Analysis with Oscillatory n=3 RMPs



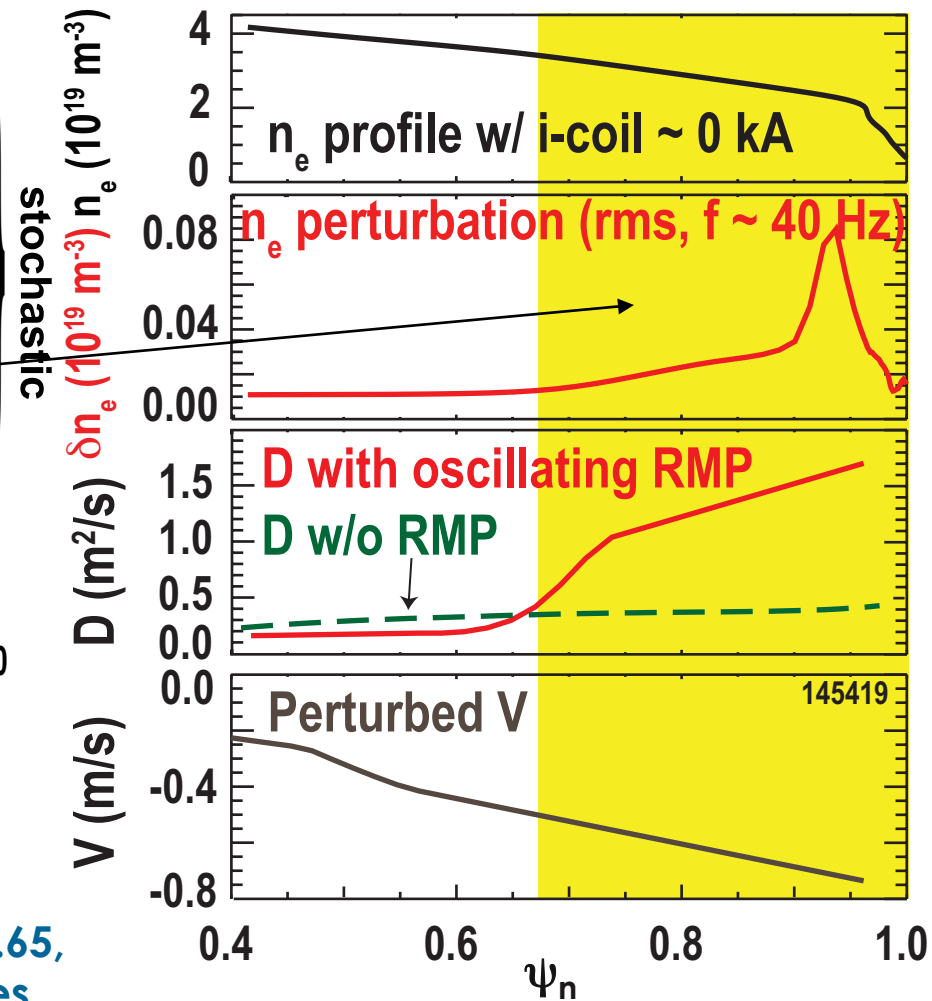
- Measure perturbative particle transport rates (D and V) by using oscillating RMP, instead of gas puff



Perturbed D Significantly Increases in Stochastic Area, Via Transient Analysis with Oscillatory n=3 RMPs



- Poincare plot generated by TRIP3D (a vacuum field line code) for shot 145419 with 4 kA of I-coil current
- The plot shows stochastic layer in $\Psi_n > 0.65$, where perturbed D significantly increases



Summary

- **Two modulation techniques successfully used to measure perturbative particle transport rates (D , V)**
 - Gas puff modulation
 - Oscillating resonant magnetic perturbations
- **First direct measurement of increase in D and decrease in V with RMP application**
- **In these H-mode plasmas, turbulence levels increase substantially with RMP application**
 - Consistent with TGLF calculations
 - Potential explanation for observed changes in core transport
- **Oscillating $n=3$ RMP field generates increased particle transport in stochastic edge region**

With Some Assumptions, Analytical D_{pb} and V_{pb} are Obtained

Approach based on Takenaga et al., *Plasma Phys. Control. Fusion* **40**, 183 (1998). Modulated particle transport equation is as follows:

$$\partial \tilde{n} / \partial t = \left(\frac{1}{r} \frac{\partial}{\partial r} r \right) \left(D \frac{\partial \tilde{n}}{\partial r} - V \tilde{n} \right) + \tilde{S}$$

1. Assume the local modulated density as:

$$\tilde{n}(r, t) = A(r) \exp[i(\omega t - \phi(r))]$$

2. Cylindrical geometry

3. Assuming the modulated particle source is negligible, then an analytical expression for D and V can be obtained as follows,

$$D = - \frac{\omega(Y \sin \phi + X \cos \phi)}{r(\partial \phi / \partial r)A}$$

$$V = - \frac{\omega((\partial A / \partial r)Y - (\partial \phi / \partial r)AX) \sin \phi + ((\partial \phi / \partial r)AY + (\partial A / \partial r)X) \cos \phi}{r(\partial \phi / \partial r)A^2}$$

Where ω is gas puff modulation frequency, and $X = \int rA \cos \phi dr$, $Y = \int rA \sin \phi dr$