

# Boundary Intrinsic Velocity in DIII-D H-modes

by  
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With  
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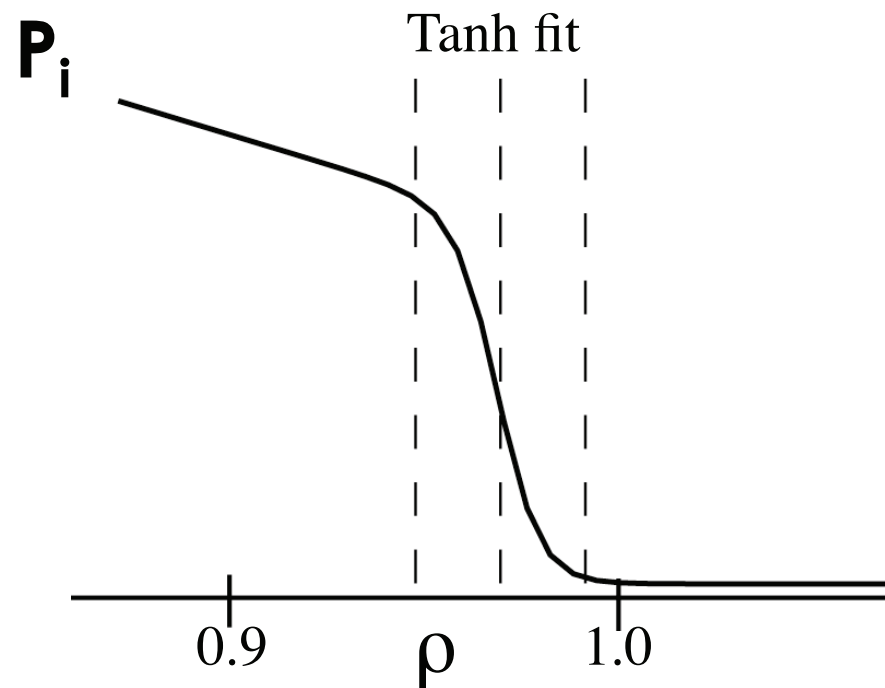
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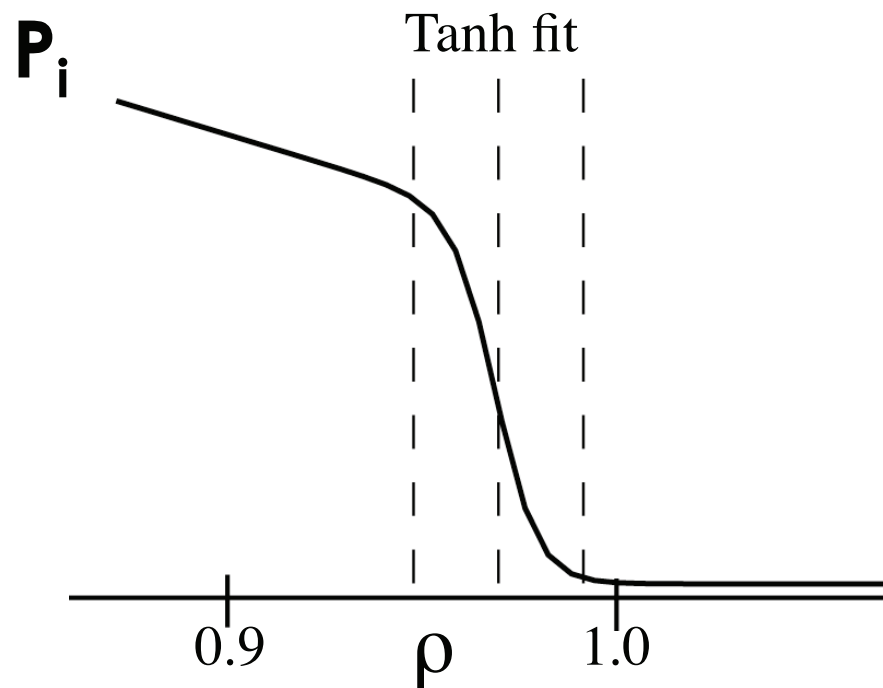
# Overview — Focus Upon the Pedestal Region

- Intrinsic toroidal rotation exists without auxiliary torque input (NBI)
- Important to understand for issues related to stability and confinement
- Intrinsic conditions - ECH, OH H-modes, and OH conditions; NBI blips



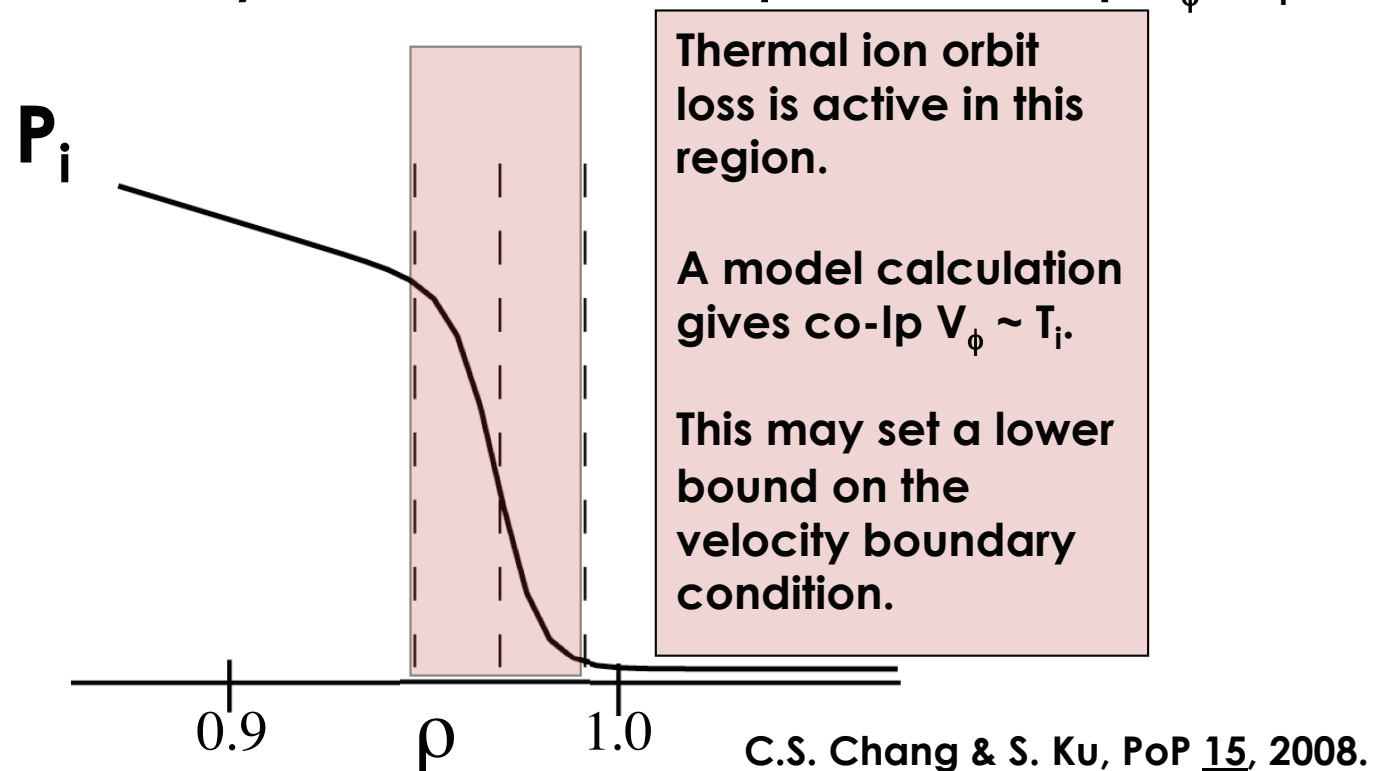
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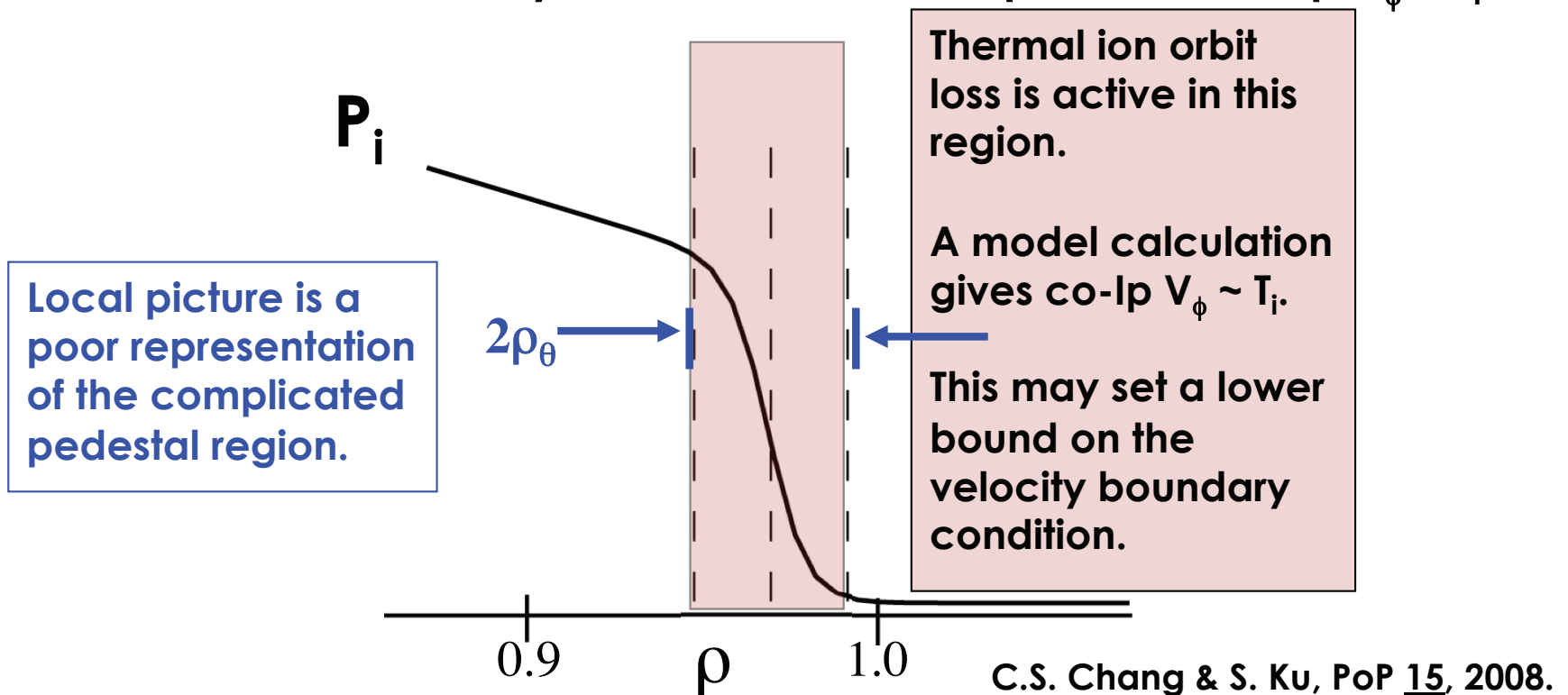
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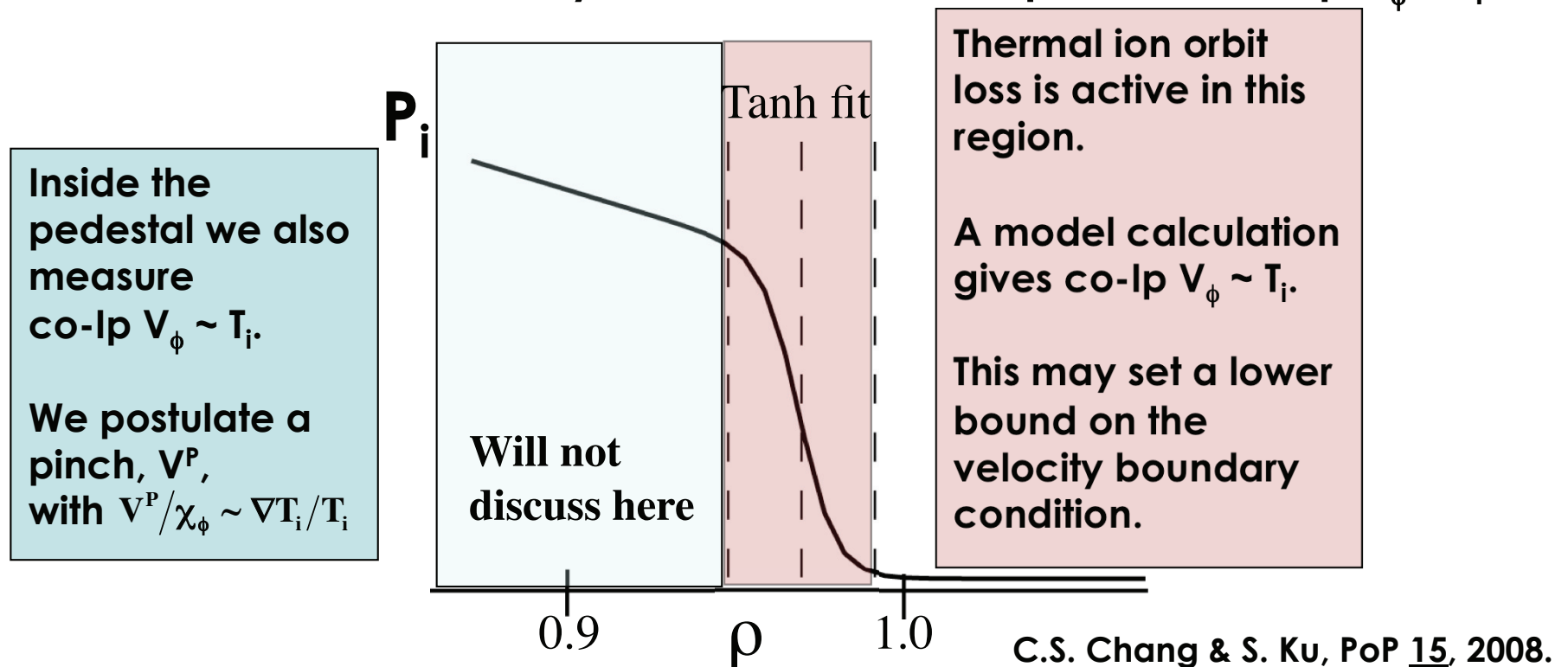
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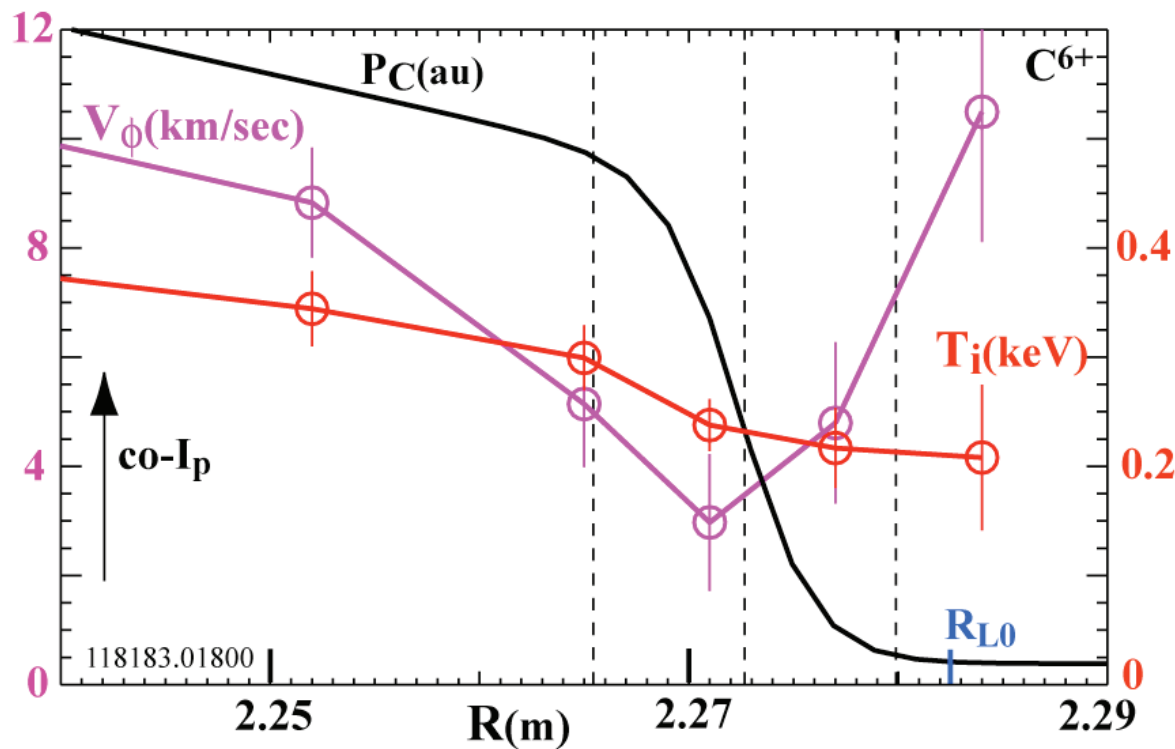
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# Pedestal Intrinsic Velocity is co-Ip

First msec of NBI blip in ECH H-mode

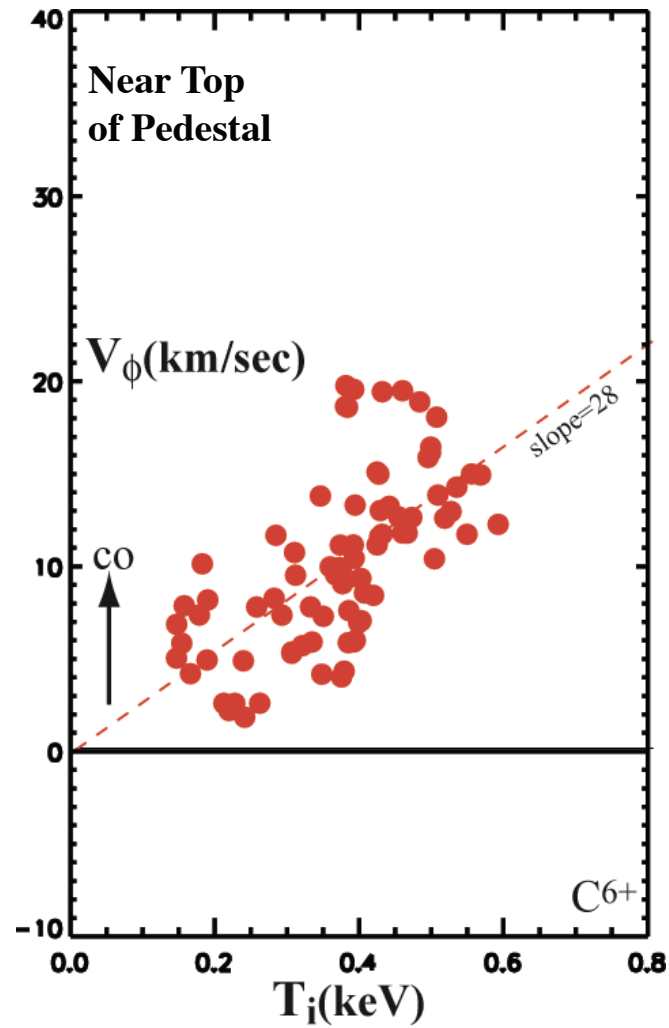
LSN  
 $I_p = 1.1$  MA  
 $B_T = 1.79$  T  
 $\beta_N = 0.85$   
 $q_{95} = 4.25$   
 $\bar{n}_e = 4.0 \times 10^{19}$   
 $P_{OH} = 0.4$  MW  
 $P_{ECH} = 1.0$  MW



$$R_{L0} = R(LCFS)_{EFIT}$$

signs  $\leftarrow \vec{B}, \vec{V}_{//} \rightarrow \hat{\phi}, \vec{I}_p$   
 $V_\phi \approx -V_{//}$

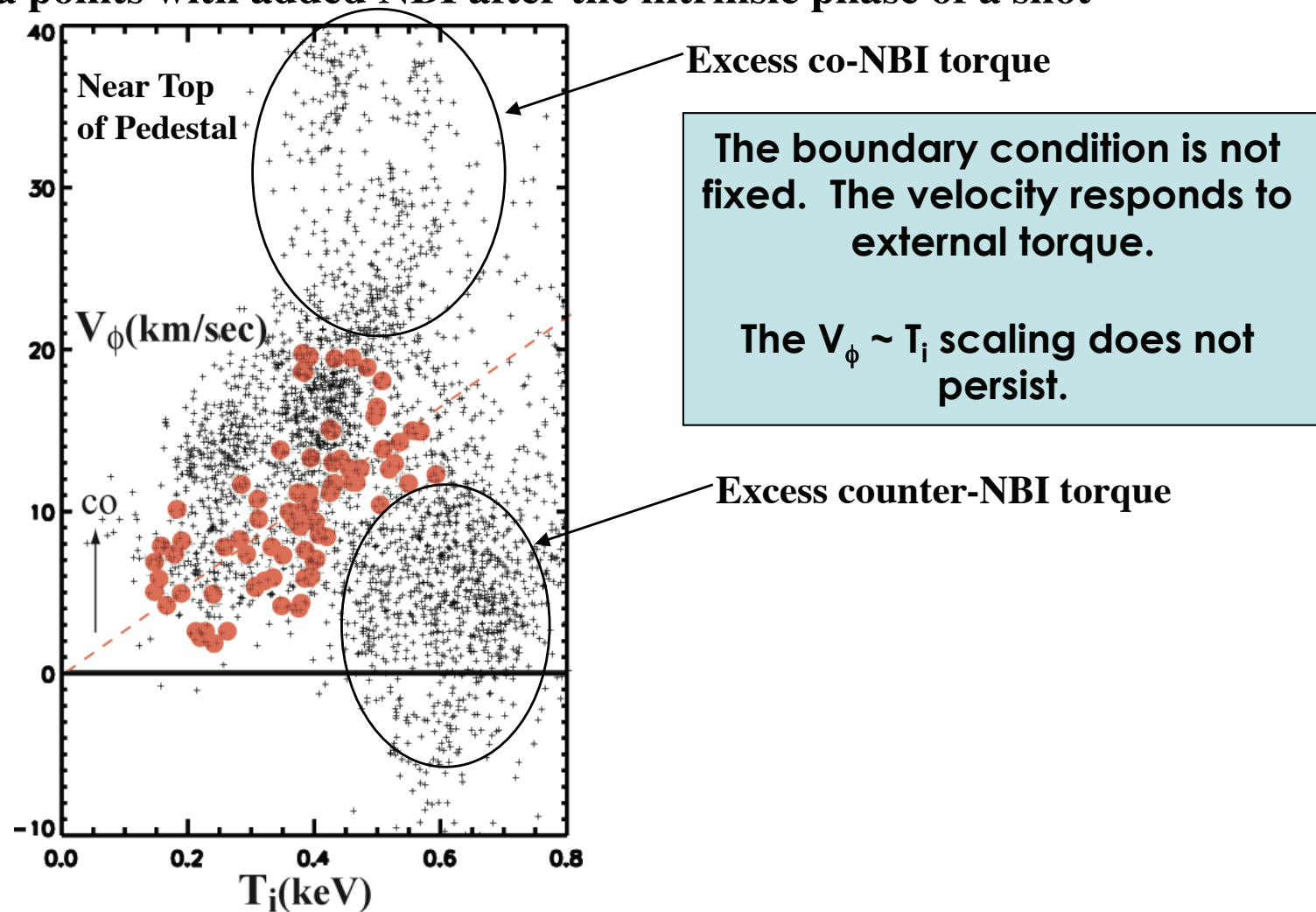
# $V_{\phi} \sim T_i$ Across Database at Fixed Location



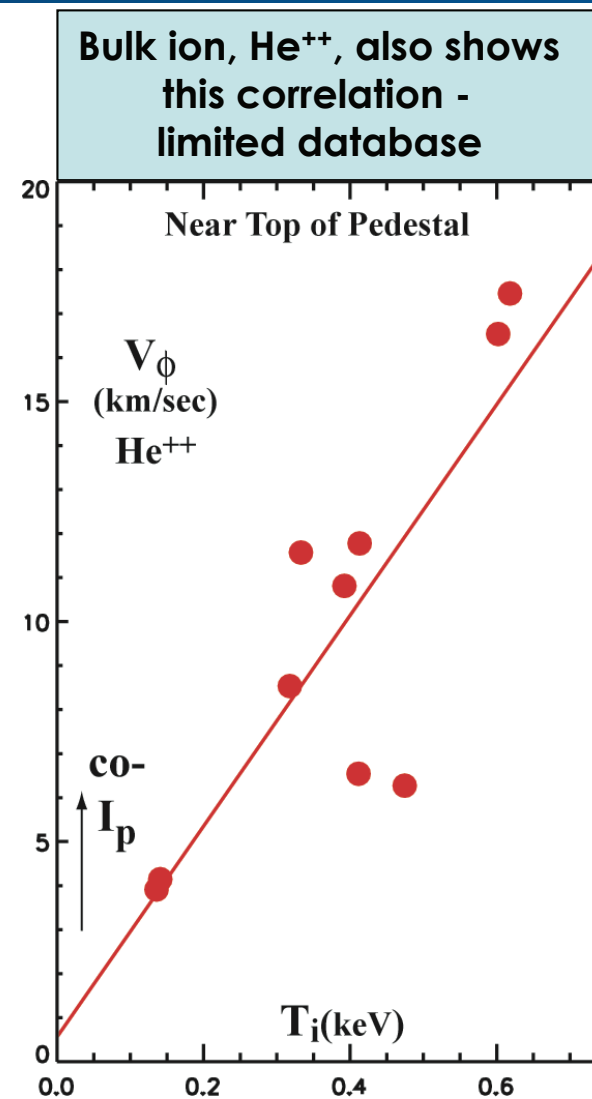
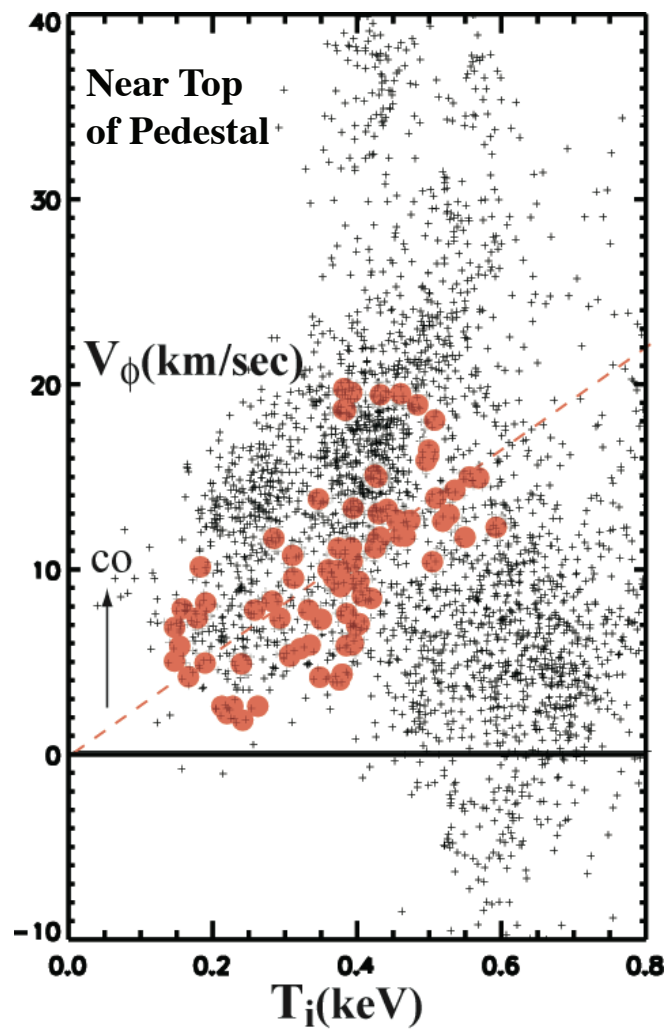


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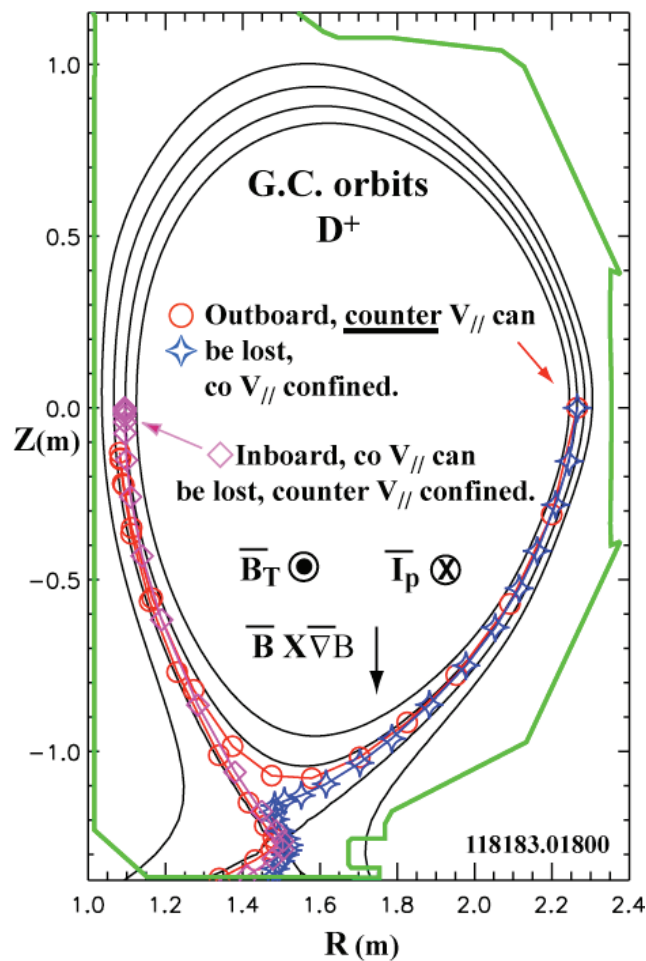
Many data points with added NBI after the intrinsic phase of a shot



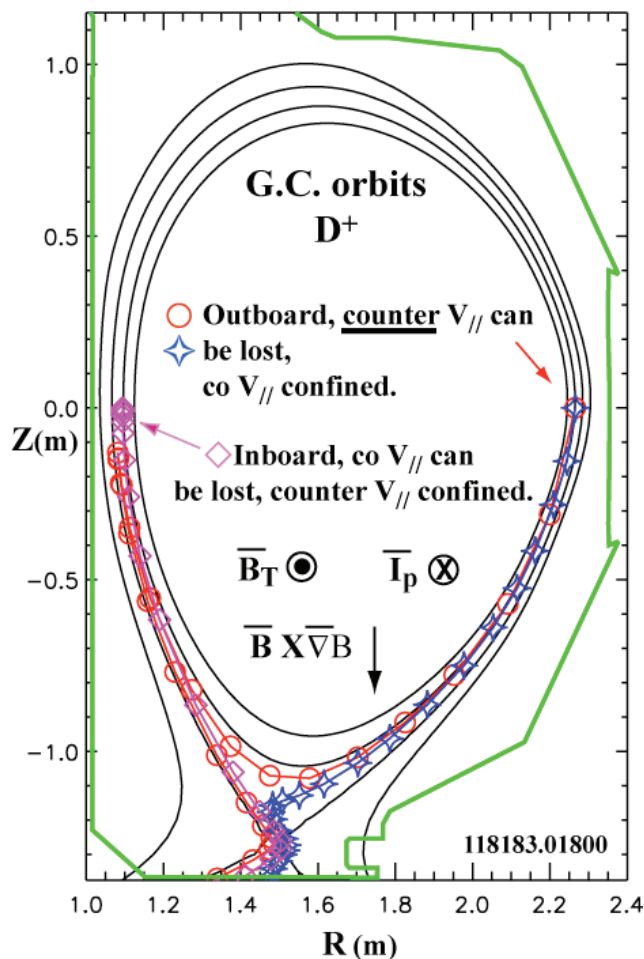
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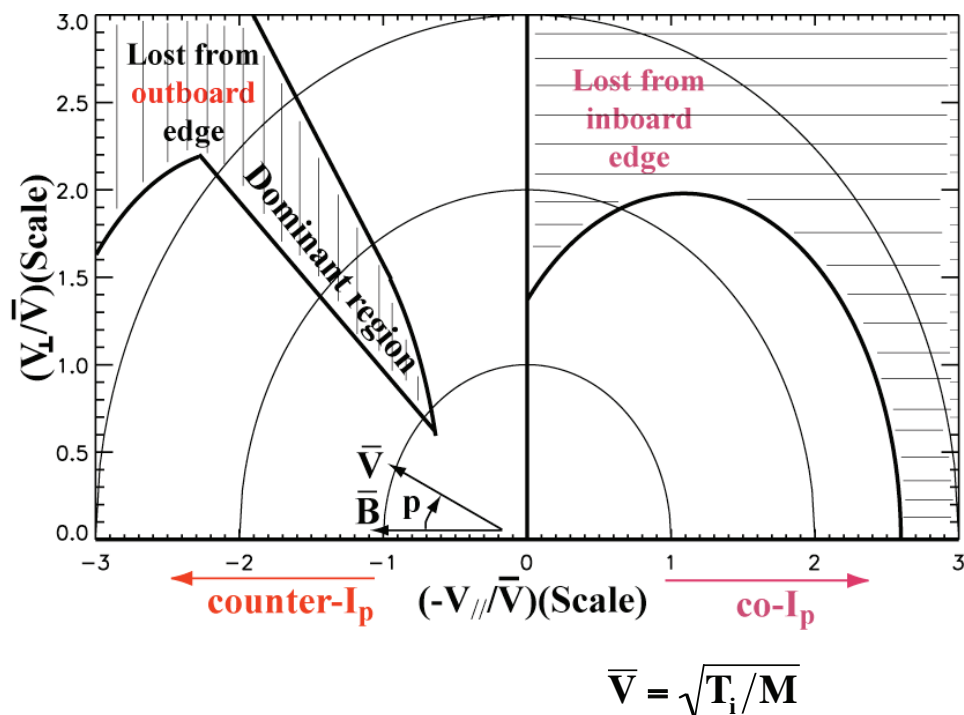
# Pedestal Thermal Ion Orbit Loss Weighted to Counter- $I_p$ $V_{||}$ loss



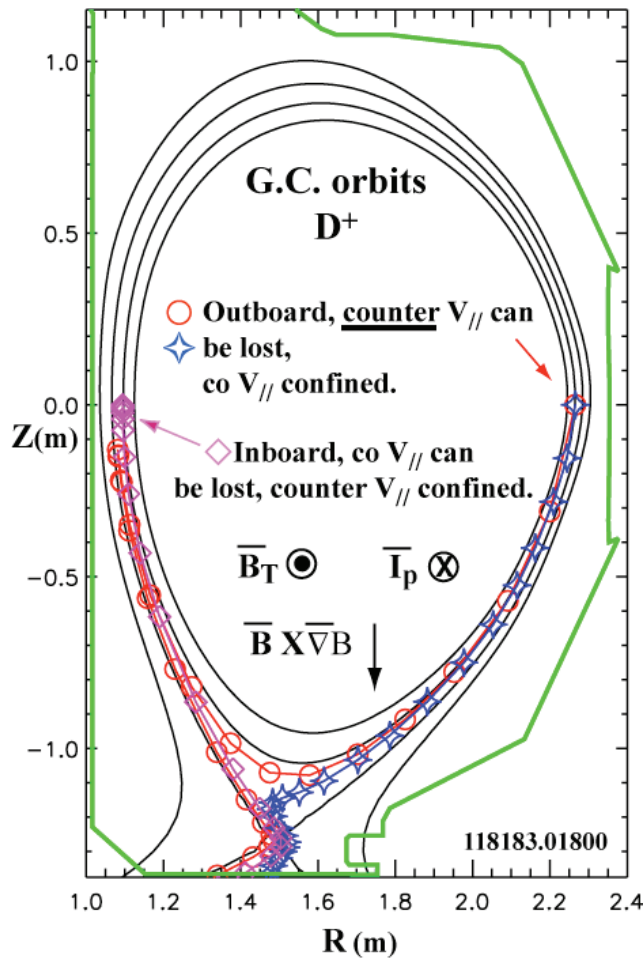
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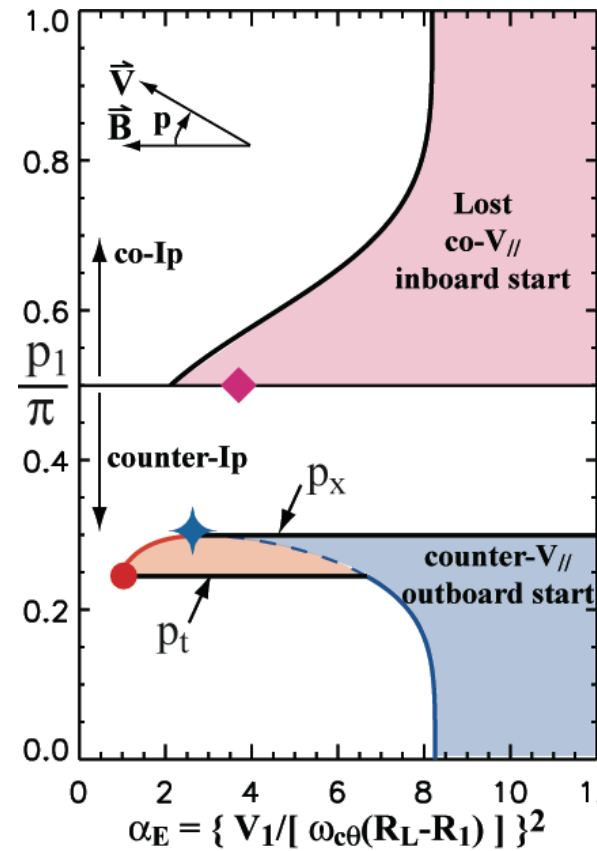
Dominant region pedestal orbit loss tends to leave a counter- $I_p$  hole in velocity space.



# Pedestal Thermal Ion Orbit Loss Weighted to Counter- $I_p$ $V_{//}$ loss



## Loss boundaries from constants of the motion: midplane start



“1” are initial values

$p$  = pitch angle

$p_t$  = trap/pass boundary

$p_x$  = X-point turn

$R_L = R_{LCFS}$

$\alpha_E$  = energy parameter  
 $\sim (\rho_\theta / \Delta)^2$

$\Delta^2 = (R_L - R_1)^2$

A.V. Chankin & G.M. McCracken, NF **10**, 1459 (1993).

K. Miyamoto, NF **36**, 927 (1996).

# Loss Model Predicts a “Diamagnetic-Like” Boundary Value, $V_\phi \sim T_i/B_\theta$

G.C. loss region defined by:

$$\frac{1}{\sqrt{\alpha_E}} \leq -\sigma_\phi \cos(p_1) \pm \sigma_\phi \left( R_x/R_1 \right) \sqrt{1 - \left( R_1/R_x \right) \sin^2(p_1)}$$
$$\sigma_\phi \equiv \text{sign}(B_T)$$

- Assume this loss cone is empty. No collision limit
- Consider only dominant counter- $I_p$  finger region



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- Compute  $\langle V_{||} \rangle$  for remaining distribution ( $D^+$ ):

$$\langle V_{||} \rangle \approx -\left(2/\pi\right)^{1/2} \bar{V}(b+1) e^{-b} (x - r_1) / 2D(b, x, r_1)$$

$$b = \alpha_E^{\text{av}} W_{\text{loss}} / T_i$$

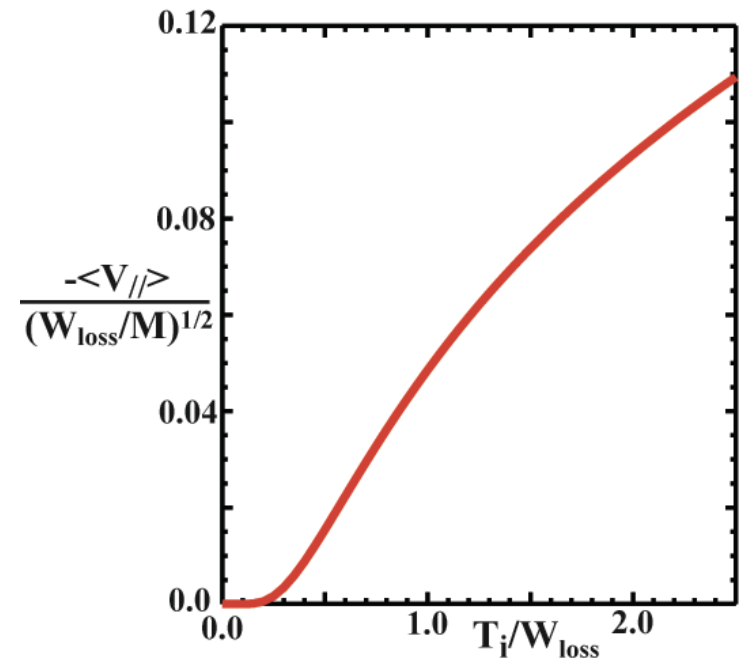
$$x = R_x / R_1$$

$$\bar{V} = \sqrt{T_i / M}$$

$$r_1 = R_{\text{lin}} / R_1$$

$$D \approx 1$$

Loss cone:  $\text{co-}I_p \text{ } -\langle V_{||} \rangle \sim V_\phi \sim T_i$

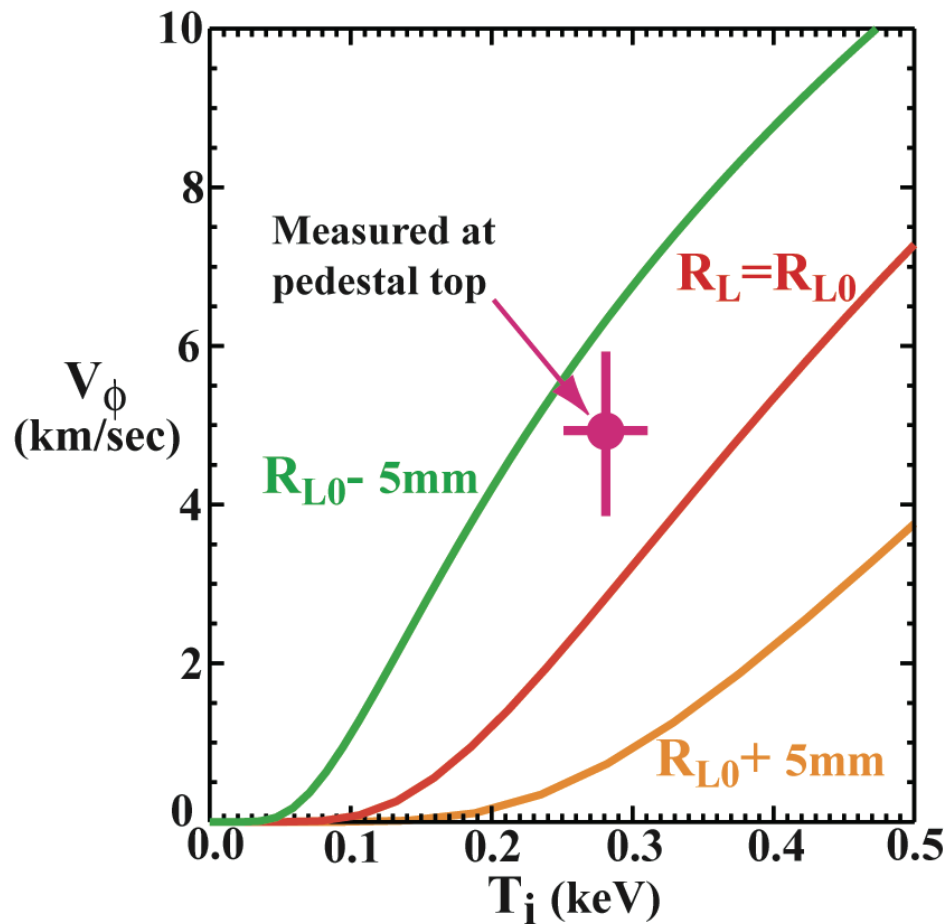


$$W_{\text{loss}} = M \Delta^2 \omega_\theta^2 / 2$$

$$V_\phi(\text{ped}) \sim \delta_p T_i / \Delta B_\theta$$

# Absolute Comparison Limited by Uncertainty in EFIT Determination of $R_{L0}$ the Midplane LCFS Location

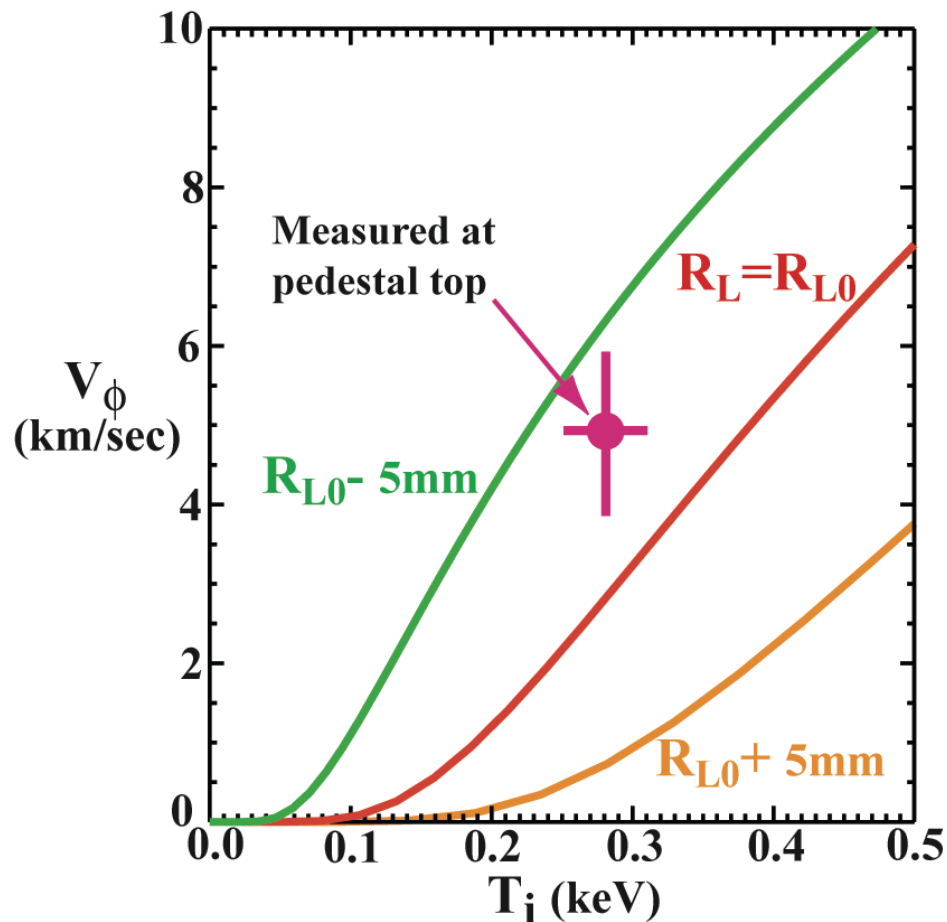
$$\delta R_{L0} = \pm 5 \text{ mm}^*$$



\* Porter et al, Phys Plasmas 1998

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## Caveat

- Orbit escape  $W_{\text{loss}} \sim Z^2/M$ , thus  $C^{6+}$  is negligible compared with  $D^+$ , at the same  $T_i$ .
- To provide the measured boundary condition we must assume that  $D^+$  sets the velocity and  $C^{6+}$  is dragged along in the pedestal region.

\* Porter et al, Phys Plasmas 1998

# Summary

- In the H-mode pedestal, we find  $V_\phi$  is co- $I_p$  and correlated with the local T
- We observe this correlation for the carbon impurity, and for the bulk ion in helium ECH H-mode discharges
- This scaling is consistent with a simple approximate model of thermal ion orbit loss from the pedestal region, which gives  $V_\phi \sim T_i/B_\theta$ , co- $I_p$  directed
- Our approximation is for an empty loss cone; collisionless. The recent simulation of Chang and Ku including collisions finds that thermal orbit loss produces a co- $I_p$  velocity in the pedestal region. In DIII-D intrinsic H-mode conditions, at the pedestal top  $v_i^* \sim 1$
- This classical effect may provide a robust minimum pedestal velocity in intrinsic conditions, and act as the boundary condition

# Phenomenological Model to Carry $V_\phi \sim T_i$ Inside of the Pedestal Boundary Region

- Local momentum flux:  $-\chi_\phi (\partial \ell / \partial \mathbf{r}) + \mathbf{V}^P \ell = \mathbf{H}(\mathbf{r})$

$\swarrow$   
0 internal source
- $\ell = \mathbf{M} n_i \langle \mathbf{R}^2 \rangle \omega_\phi$  momentum density

$\chi_\phi =$  momentum diffusivity

$\mathbf{V}^P =$  momentum pinch velocity
- for  $\frac{n'}{n} \ll \frac{V'_\phi}{V_\phi} \sim \frac{T'_i}{T_i}$  weak density gradient inside pedestal, and  $\left| \frac{\mathbf{R}_0 V'_\phi}{V_\phi} \right| \gg 1$
- the local momentum equation becomes  $-\chi_\phi (\partial V_\phi / \partial \mathbf{r}) + \mathbf{V}^P V_\phi = 0$
- If we use  $\frac{\mathbf{V}^P}{\chi_\phi} = \mathbf{k} \frac{\partial T_i / \partial \mathbf{r}}{T_i}$  turbulence

$\left\{ \begin{array}{l} \text{Coppi, NF } \mathbf{42}, 1 \text{ (2002) qualitatively} \\ \text{Shaing, Phys. Plasmas } \mathbf{8}, 193 \text{ (2001).} \\ \text{Diamond, et al, Phys. Plasmas } \mathbf{15}, 012303 \text{ (2008).} \end{array} \right.$
- Then  $V_\phi = V_\phi(\mathbf{a}) [T_i / T_i(\mathbf{a})]^k$